School of Finance



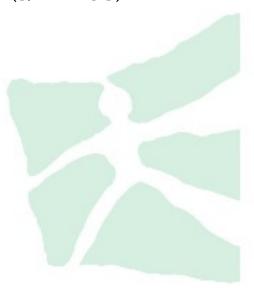
# **MONETARY POLICY DISCONNECT**

ANGELO RANALDO Benedikt Ballensiefen Hannah Winterberg

WORKING PAPERS ON FINANCE NO. 2020/03

SWISS INSTITUTE OF BANKING AND FINANCE (S/BF – HSG)

**SEPTEMBER 4, 2020** 



# Monetary policy disconnect\*

## BENEDIKT BALLENSIEFEN<sup>†</sup>, ANGELO RANALDO<sup>‡</sup>, HANNAH WINTERBERG<sup>§</sup>

September 4, 2020

<sup>\*</sup>We thank Farshid Abdi, Andrea Barbon, Alexander Bechtel, Stefano Corradin, Florian Heider, Marie Hoerova, Thomas Nellen and Patrick Schaffner for their valuable comments and suggestions. This work was supported by the Swiss National Science Foundation [grant number P1SGP1\_188111].

 $<sup>^{\</sup>dagger}$ University of St. Gallen and World Bank Group, Unterer Graben 21, CH-9000 St. Gallen, Switzerland. Tel. +41 (0)79 808 92 56. E-mail: benedikt.ballensiefen@unisg.ch.

 $<sup>^{\</sup>ddagger}$ University of St. Gallen and Swiss Finance Institute, Unterer Graben 21, CH-9000 St. Gallen, Switzerland. Tel. +41 (0)71 224 70 10. E-mail: angelo.ranaldo@unisg.ch. Corresponding Author.

 $<sup>^{\$}</sup>$ University of St. Gallen and University of Maryland, Varnbüelstrasse 19, CH-9000 St. Gallen, Switzerland. Tel. +41 (0)77 460 08 18. E-mail: hannah.winterberg@unisg.ch.

## Monetary policy disconnect

#### Abstract

We analyze and quantify how two forms of segmentation lead to the monetary policy disconnect. To do this, we study the monetary policy transmission through the main short-term funding market, the repurchase agreement (repo) market. First, the lending rates of banks with access to the central bank's deposit facility are less responsive to the monetary policy target rate. Second, rates of repos secured by assets eligible for Quantitative Easing programs diverge more from the target rate. We also find that both forms of segmentation add to one another, suggesting an amplifying effect in weakening monetary policy transmission.

Keywords: Interest rate pass-through, Monetary Policy, Market Segmentation, Short-term interest rates, Repo. JEL classification: E40, E43, E50, E52, E58, G18

"...there is a risk that, under the current framework, some short-term market rates would not respond fully to changes in our key interest rates or, even if they would, that a continued dispersion of short-term rates would **adversely impact** the transmission of our monetary policy stance."

-Benoît Cœuré in May 2018

What makes monetary policy effective? This question has been at the center of the political and academic debate for decades. An indispensable pre-requisite for an effective monetary policy transmission is an efficient framework supporting financial intermediation (Woodford, 2002) and the formation of rational expectations (Mishkin, 1978). Some aspects of the institutional and political framework can generate dispersed valuations of even risk-free assets undermining the interest rate pass-through and monetary policy transmission. The risk of central banks losing control over shortterm interest rates has been highlighted by European Central Bank (ECB) executive Benoît Cœuré (2018) as a potential side effect of the new monetary policy framework.

This paper is the first empirical study analyzing two forms of segmentation affecting the main short-term funding market, the repurchase agreement (repo) market. The first form of segmentation stems from the institutional framework in which only some banks can access the deposit facility at the central bank. The first contribution of our work is to demonstrate that the lending rates of banks with access to the central bank's deposit facility are less responsive to the monetary policy target rate. Second, unconventional measures such as Quantitative Easing (QE) are targeted at the purchase of only certain assets. The second contribution of our paper is to uncover that the eligibility for QE programs creates a second form of segmentation. That is, short-term rates secured by assets eligible for QE programs diverge more from the monetary policy target rate. Both forms of segmentation lead to the *monetary policy disconnect*. We also find that both forms add to one another, suggesting an amplifying effect in weakening monetary policy transmission.

Understanding whether and how segmentation impacts monetary policy effectiveness is relevant for central banks and market participants. First, to fulfill its mandate of price stability a central bank needs to keep control over short-term interest rates and thus over funding conditions. Unresponsive short-term rates would limit the central bank's ability to effectively influence the lending conditions in the economy. Second, since the Global Financial Crisis of 2007/2008, the repo market has emerged as the predominant source of funding liquidity. For instance, the size of the euro secured market is about 20 times that of the unsecured market.<sup>1</sup> Thus, the repo market is key for an efficient allocation of money and assets. And third, in addition to being a reference rate for the

 $<sup>^{1}</sup>$ As per the Money Market Study of the European Central Bank (2018).

implementation of monetary policy, the repo rate acts as a benchmark in financial markets and for (funding) valuation adjustments, for example, in derivatives pricing.

The rationale of our analysis is that a well-functioning and integrated financial market facilitates the monetary policy transmission. By contrast, a "wider dispersion in short-term money market rates" could cause "a reduction in the efficacy and transmission of monetary policy" (Bank for International Settlements, 2017, p.32). The ideal laboratory to examine this idea is the ECB and the repo market for at least three reasons: First, the repo is the ECB's instrument to conduct the main refinancing operations, establishing a straight link between monetary policy and short-term rates. Hence, the repo plays a pivotal role in fulfilling the aims of the Eurosystem's open market operations and normally provides the bulk of refinancing to the financial sector. Second, the market is crucial for the transmission of monetary policy throughout the entire interest rate term structure and given its size. In fact, the European repo market is the largest repo market worldwide, with more than EUR 7.5 trillion in outstanding contracts (International Capital Market Association, 2019). Our data set is unique and highly representative in the sense that it includes all trades exchanged on the three major trading platforms (BrokerTec, Eurex, and MTS) from the beginning of 2010 to the end of 2018. Third, the infrastructure of the European repo market features central clearing and anonymous centralized order book platforms, which ensures homogeneous counterparty risk and an efficient price formation process. In this setting, a large variety of sovereign debt securities are eligible as collateral. The asset being used as collateral can either be a particular asset ("special repo") or any asset from a predefined basket of assets ("general collateral or GC repo"). While the GC repo is a funding instrument, since borrowing or lending cash is its main purpose, special repos can be collateral-driven. To achieve a comprehensive result, we study how both markets influence the transmission of monetary policy.

The first form of segmentation is that only a given set of banks have exclusive access to the ECB deposit facility. We expand the theoretical framework proposed in Duffie (1996) to outline two separate demand curves for investing liquidity (lending) in the *GC market*, one for access and one for nonaccess banks. In the wake of a negative supply shock (i.e., fewer banks need to borrow liquidity), the GC rate can fall below the deposit facility rate, creating an incentive to deposit liquidity at

the central bank for banks that have the privilege to do so. The demand of nonaccess banks for investing liquidity in repos remains inelastic for various reasons, such as opportunity cost (benefits) of (from) pledging (obtaining) collateral (Bechtel, Eisenschmidt, and Ranaldo, 2019; Piquard and Salakhova, 2019) creating a net demand for safe assets (Infante, 2020), regulatory reasons (Ranaldo, Schaffner, and Vasios, 2020), and capacity constraints as well as limits to arbitrage in the unsecured money market (Nyborg, 2019). As a consequence, the dispersion between reportates lent by access and nonaccess banks widens. Our first testing hypothesis is that banks with (without) access to the ECB deposit facility lend at repo rates less (more) aligned to the monetary policy target rate. To provide prima facie evidence of this mechanism, let us compute a dispersion measure of repo rates lent by banks with and without access around the EONIA as the ECB's traditional target rate in the spirit of Duffie and Krishnamurthy (2016).<sup>2</sup> Fig. 1 graphs the dispersion of access and nonaccess rates against the amounts deposited at the ECB's deposit facility (by access banks) in periods when the GC rate is above and below the rate on the deposit facility. As is clearly discernable, when the GC rate is below the rate on the deposit facility, the dispersion of access and nonaccess reportates increases. This increase is accompanied by larger volumes invested at the ECB's deposit facility.

The second form of segmentation is represented by the eligibility criteria of the QE program. We model this mechanism with two distinct demand curves in the special market, one for eligible assets and one for noneligible assets.<sup>3</sup> Assets being targeted by QE programs are scarcer, thus leading to a higher demand (positive demand shock) for those assets in the repo market. The overall effect is that repo rates for eligible assets fall below those for noneligible assets. As a consequence, the specialness premium of eligible assets increases. Our second testing hypothesis is that rates of repos whose collateral asset is (not) eligible for QE programs are more (less) misaligned from the monetary policy rate. Similar to what we illustrated before, Fig. 2 graphs the dispersion of eligible and noneligible rates against the amounts (of eligible assets) purchased under the largest

 $<sup>^{2}</sup>$ EONIA represents a weighted average of all overnight unsecured transactions in the euro inter-bank market. The ECB sets the rates on the deposit and lending facility, which define the corridor for the EONIA as the ECB's operational target rate.

 $<sup>^{3}</sup>$ One may argue that the special market is less relevant for funding than the GC market. However, also special trades involve a funding motive on the part of the borrower. Thus, the special market is less funding-oriented, but special repo rates are still sensitive towards funding conditions.

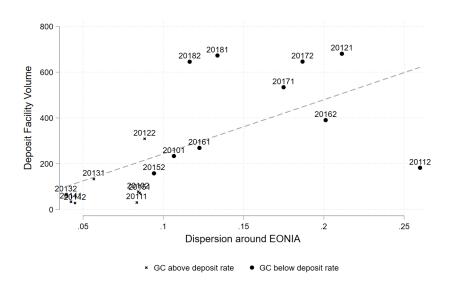


Fig. 1. GC market

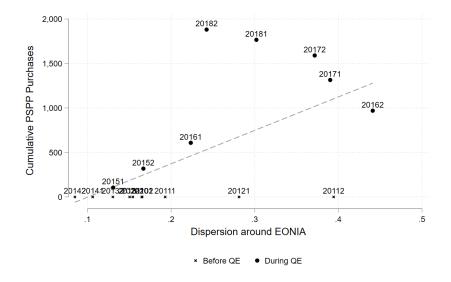


Fig. 2. Special market

Inspired by the approach of Duffie and Krishnamurthy (2016), we compute the volume-weighted mean absolute deviation of access and nonaccess rates (Fig. 1) and of eligible and noneligible rates (Fig. 2) around the EONIA as our primary monetary policy target rate.

ECB QE program, the Public Sector Purchase Program (PSPP), prior to and after its introduction. It is clear that since QE started, the dispersion of eligible and noneligible repo rates around the monetary policy rate has increased. This increase is accompanied by larger volumes purchased by the ECB under the mandate of the PSPP.

In our study, we provide a systematic analysis on the effects of both forms of segmentation on the monetary policy pass-through. We proceed in three steps. First, we document two new stylized facts in line with our theoretical intuition: (i) The share of access banks' lending in the GC market decreased when GC rates fell below the rate on the deposit facility. During those periods, the size of the GC market declined, while the total volume invested at the deposit facility by access banks increased. (ii) The trading volume in the special market has increased since the start of QE, predominantly driven by transactions collateralized with assets eligible for central bank purchases.

Second, we perform a comprehensive set of panel analyses to test our first hypothesis. More precisely, we regress (changes in) GC repo rates on (changes in) the monetary policy rate. We identify which banks benefit from access to the deposit facility and at which rate they lend in the interbank market. If we find that access banks lend at rates apart from the policy rate, this would corroborate the monetary policy disconnect featured by those banks. Since the benefit of having access to central banks' deposits increases when money market rates are lower than the deposit rate, we test whether the monetary policy transmission through access banks is more obstructed in periods in which GC rates are below the deposit facility rate.

Third, we carry out a set of panel analyses to test our second hypothesis. More specifically, we regress (changes in) special repo rates on (changes in) the monetary policy rate. We identify which specific collateral asset is eligible for QE and at which rate it is traded in the interbank market. If we find that repo rates secured by eligible assets diverge more from the policy rate, this would validate the monetary policy disconnect induced by QE asset purchases. We also apply the initial implementation provisions retrospectively to compare time trends between *(hypothetically)* eligible and noneligible assets, which creates a difference-in-difference estimation setting.

Four main results emerge from our analysis. First, although well expected, we provide a new stylized fact that GC rates react more strongly to changes in the monetary policy target rate than special rates since transactions are more liquidity-driven. However, the GC responsiveness decreases when GC rates hover below the ECB deposit facility rate. For instance, a one-percentage-point increase in the policy target rate is accompanied by an increase in GC rates of about 54 (36) basis points when the GC rate is above (below) the deposit facility rate.

Second, access banks are less sensitive to the monetary policy rate, in particular when the wedge between GC repo and deposit facility rates increases. For instance, an increase in the monetary policy target rate by one percentage point translates into an increase in GC rates involving access banks of 45 basis points. For banks without access, the increase is 72 basis points. Once GC rates are below the rate on the deposit facility, the effect increases to 94 basis points for nonaccess banks while it decreases to only 4 basis points for access banks.

Third, a repo rate is more disconnected from the monetary policy target rate when its (collateral) asset qualifies for the QE program. In the period after the introduction of QE, an increase in the policy target rate by one percentage point is associated with an increase in the rates of noneligible asset by five basis points more relative to eligible asset. While this effect seems to be small, it represents a 50% decrease relative to the overall sensitivity of special repo rates to changes in funding conditions. We observe a similar behavior of *(hypothetically)* eligible and noneligible assets in the periods prior to QE and diverging patterns during QE, suggesting a causal impact of central bank asset purchases on the monetary policy disconnect. To augment our idea of a positive demand shock for eligible assets, we show that their sensitivity to the monetary policy rate decreases with the time an asset is eligible for QE purchases.

Fourth, we provide evidence for spillover effects between the two repo market segments. Specifically, we find that when the share of securities eligible for QE programs is large in a GC basket, then the GC rate is less reactive to the monetary policy target rate.

To ensure the robustness of our results, we perform our analyses for three different groups of countries: (i) Germany, (ii) core European countries, and (iii) all European countries. We further perform our analysis across different term types, and standard error and fixed effect specifications. Finally, to address any concerns regarding the policy rates targeted by the ECB, we experiment with other secured and unsecured overnight interest rates as well as derivatives-based, forward-looking overnight interest rates.<sup>4</sup> In all specifications, the results remain statistically and economically consistent.

Overall, we find compelling evidence supporting the two hypotheses and indicating that both forms of segmentation can represent hurdles for the pass-through efficiency of monetary policy. Our setting allows us to take advantage of the legal and technical rules that the Eurosystem imposes to avoid any endogeneity concerns related to reverse causality. In particular, the set of nonaccess banks is constant over our sample period, whether a bank is legally formed in- or outside of the euro area is unrelated to monetary policy and the repo market, and thus a source of exogenous variation. Similarly, the implementation provisions for asset purchases are a source of exogenous variation as to which securities meet the respective criteria.

Our analysis mainly contributes to two strands of the literature. First, we contribute to the literature on the effectiveness of monetary policy. We show and quantify that the transmission of monetary policy into the secured short-term funding market is impeded by the design of its institutional framework and unconventional policies. Duffie and Krishnamurthy (2016) analyze the pass-through of monetary policy in the United States, in particular how the pass-through was affected by the introduction of the reverse repurchase facility and new Basel regulations. Drechsler, Savov, and Schnabl (2017) show that the pass-through of the interest rate on excess reserves to the interest paid on saving accounts is imperfect. They associate this effect with market power in deposit markets. On a macro-wide level, Avouyi-Dovi, Horny, and Sevestre (2017) find a slowdown of the overall interest rates transmission mechanism, which Al-Eyd and Berkmen (2013) have associated with segmentation along country lines. This slowdown has sparked interest in the steps involved in the pass-through of the monetary policy rate to bank lending rates via the bank balance sheet. By analyzing the cointegration between policy rates and banks' weighted cost of capital, Illes, Lombardi, and Mizen (2019) find that the sensitivity of banks' average funding costs to policy rates has declined in recent years.<sup>5</sup>

Second, we contribute to the literature on short-term funding markets. We are the first to

<sup>&</sup>lt;sup>4</sup>These measures are commonly used in the high-frequency monetary policy event study literature, for example, Altavilla, Brugnolini, Gürkaynak, Motto, and Ragusa (2019) and Leombroni, Vedolin, Venter, and Whelan (2020). <sup>5</sup>For a detailed literature review on interest rate pass-through, see Andries and Billon (2016) and Horvath,

Kotlebova, and Siranova (2018).

study the effects on the entire repo market of two forms of segmentation, that is banks' access to central bank facilities and assets' eligibility for asset purchasing programs. Kraenzlin and Nellen (2015) analyze segmentation effects in the Swiss unsecured money market coming from different access levels to the facilities of the Swiss National Bank. Arrata, Nguyen, Rahmouni-Rousseau, and Vari (2020) and Corradin and Maddaloni (2020) investigate the effects of QE purchases on *special* repo rates. We thereby add to the literature on the cross-sectional dispersion in repo rates [e.g., Mancini, Ranaldo, and Wrampelmeyer, 2016; Boissel, Derrien, Ors, and Thesmar, 2017, in Europe and Bartolini, Hilton, Sundaresan, and Tonetti, 2011; Gorton and Metrick, 2012; Copeland, Martin, and Walker, 2014; Krishnamurthy, Nagel, and Orlov, 2014; Infante, 2020, in the United States].

This paper is laid out as follows: Section 1 explains the monetary policy framework, Section 2 introduces the repo market, Section 3 describes the data, Section 4 introduces the empirical approach and the main empirical results, Section 5 provides robustness results and Section 6 concludes.

## 1. Monetary policy

Monetary policy aims to promote stable prices and growth by influencing the real sector, in particular lending conditions faced by businesses and consumers. The interest rate environment plays an important role in investment and price setting decisions. As bank loans are the main source of funding for large parts of the economy, the pass-through of monetary policy to the banking sector is crucial. To effectively fulfill their mandate, central banks rely on a predictability of the monetary policy pass-through, a disconnect from lending conditions would constrain the effective implementation of monetary policy.

Our main monetary policy target rate is the short-term interest rate benchmark (EONIA). While the EONIA is a standard choice on interest rate pass-through in the literature (see, e.g., Hristov, Hülsewig, and Wollmershäuser, 2014; Altavilla, Canova, and Ciccarelli, 2020), it warrants a discussion since the ECB does not directly control it. The ECB sets three key interest rates: The rates on the main refinancing operations, the deposit and marginal lending facility. The rates on the deposit and marginal lending facility define the corridor for the EONIA as the unsecured, overnight interest rate at which banks lend to each other.<sup>6</sup> The two rates do not lend themselves to a pass-through analysis since they only move in infrequent, discrete jumps. The deposit facility rate is an exogenous rate set by the ECB, only the amounts deposited at the deposit facility are endogenously determined by banks. Policy interventions such as QE programs are not reflected in the deposit facility rate, it only changes rarely. The EONIA rate, by contrast, evolves continuously and is an endogenously determined rate which is more informative to central banks and market participants as it also captures e.g. time-varying funding conditions, risk premia, and unconventional monetary policy effects. These aspects make the EONIA rate the most appropriate choice for our main monetary policy target rate. It is also referred to as the operational target by the ECB (Cœuré, 2019) and its comovement with other interest rates has been shown in, for example, Hristov, Hülsewig, and Wollmershäuser (2014) and Altavilla, Canova, and Ciccarelli (2020). The EONIA is the equivalent of the effective federal funds rate in the United States.<sup>7</sup> For robustness purposes, we also experiment with alternative measures (Section 5).

In our analysis, we consider the monetary policy pass-through. The first but crucial step in this transmission relies on the linkage between monetary policy, the short-term, unsecured inter-bank market (as represented by the EONIA as the ECB monetary policy target) and the secured short-term funding market (repo), which we analyze in this paper. The decision problem of banks involved in both markets has been in the focus of the theoretical literature, highlighting that the linkage between the two can be impacted by market segmentation (Bech and Klee, 2011), opportunity cost of collateral (Piquard and Salakhova, 2019) or constrained arbitrage (Nyborg, 2019). Commercial banks do indeed trade in both the secured and the unsecured markets, actively linking the two segments (Di Filippo, Ranaldo, and Wrampelmeyer, 2018).

<sup>&</sup>lt;sup>6</sup>The evolution of the EONIA within the corridor is depicted in the Internet Appendix in Figure 1.1. Within the corridor, the ECB steers the short-run liquidity conditions with its open market operations by providing liquidity for a period of one week or three months. Although these transactions are secured, open market operations are distinct from regular repo transactions in three ways: First, open market operations are conducted via fixed-rate full-allotment or benchmark allotment auctions, which are executed at the same rate for all participants. Second, these auctions occur on a weekly to monthly basis and thus do not provide for a viable alternative to obtain day-to-day short-term funding. And third, the maturities of one week or three months are longer term than typical overnight repo transactions.

<sup>&</sup>lt;sup>7</sup>The Swiss National Bank uses a framework that is similar to the ECB framework as it also targets an unsecured rate moving within the facility rate corridor, the CHF-Libor.

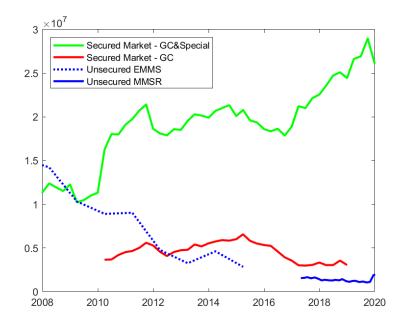


Fig. 3 depicts the aggregate cumulative monthly trading volumes in the secured and unsecured market segments. The data for the secured market refer to our total data set as described in Section 3. The data for the unsecured market stem from the Euro Money Market Survey (EMMS) until 2015 and from the Money Market Statistical Reporting (MMSR) thereafter. To be conservative, we sum reported borrowing and lending activity in the unsecured market, which may entail double-counting.

Fig. 3. Secured and unsecured market turnover

The secured repo market is the main short-term funding market for banks. It plays a more important role for the transmission of monetary policy than the unsecured market for three reasons: First, Fig. 3 illustrates that trading in the European money market has moved towards the secured market segment since the Global Financial Crisis. According to the Euro Money Market Survey, the size of the secured market is about twenty times the size of the unsecured market. In particular, an increase in risk aversion after the recent crisis shifted bank activity towards the secured segment (European Central Bank, 2018). Thus, the repo market is now the predominant source of funding liquidity and is therefore key for the central bank's monetary abilities. Second, repo market frictions not only impact the funding conditions of banks, but also the borrowing conditions faced by governments, as has been shown for the U.S. Treasury market by He, Nagel, and Song (2020). Given that governments are the largest debt issuers, this is another avenue through which the repo

market affects monetary policy transmission. Finally, the repo market in the euro area plays an important role for the redistribution of reserves (Bank for International Settlements, 2017, p.16) which is another important step in the process of monetary policy implementation.

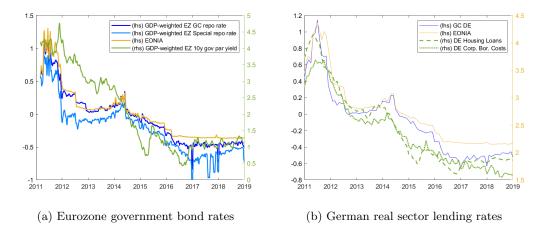


Fig. 4a depicts the GDP-weighted average government bond yield within the Eurozone as well as the GDP-weighted mean GC and Special repo rates. Fig. 4b depicts the co-movement of the mean German GC rate with two real sector lending rates, one depicting the borrowing costs for private homeowners and one for non-financial corporates in Germany. Both lending rates stem from the ECB's MFI Interest Rate Statistics (MIR). The mean GC rate refers to the volume-weighted mean observed in our dataset. For reference, we also include the EONIA rate in both graphs.

Fig. 4. Interest rate co-movements

To support the importance of the repo market for the monetary policy transmission into the real sector, Figure 4a shows the co-movement of GC and special repo rates with a GDP-weighted average Eurozone government bond yield. We observe that in the last years, the EONIA rate hardly moved while repo rates showed some co-movement with government bond yields. Moreover, as illustrated in Figure 4b for Germany, we also observe that repo rates correlate with credit conditions faced by both households and corporate borrowers. Although the monetary policy transmission into the real economy involves additional steps that deserve a detailed analysis beyond short-term rates, these figures provide visual evidence that the repo market plays a crucial role for the monetary policy transmission.

The transmission of monetary policy into the real sector involves additional steps, a detailed analysis of which goes beyond the scope of this paper. We provide visual evidence for the comovement of GC and special repo rates with a GDP-weighted average Eurozone government bond yield in Figure 4a. We observe that in the last years, the EONIA rate hardly moved while repo rates showed some co-movement with government bond yields. Moreover, as illustrated in Figure 4b for Germany, we also observe that repo rates correlate with credit conditions faced by both households and corporate borrowers.

In our analysis, we consider the monetary policy pass-through from the unsecured market segment into the secured overnight repo market segment. Since the secured market is the predominant source of short-term funding, the repo market determines bank funding conditions and ultimately impacts the transmission of monetary policy into the real sector. The influence of the EONIA on repo rates is also reflected in the EONIA being the reference rate for floating rate repos.

## 2. Repo market

In the repo market, two counterparts exchange cash for collateral (first leg) for a predefined time period with a fixed repurchase obligation (second leg). The asset being used as collateral can be a particular asset ("special repo") or any asset from a predefined basket of assets ("general collateral or GC repo"). The lender in a repo transaction provides a short-term loan (over-)collateralized by sovereign debt and thus benefits from the convenience of the collateral for the time between the purchase and repurchase. In a special repo, the lender accepts a lower interest rate than in a GC repo since a particular asset is specified as collateral; the GC repo rates provide the upper bound for special repo rates. The GC market is generally more funding-driven while the special repo market is more collateral-driven. However, in each transaction there is always a funding motive on the part of the borrower. The European market infrastructure features (i) central clearing, (ii) anonymous electronic order book trading, and (iii) a large variety of eligible collateral (Mancini, Ranaldo, and Wrampelmeyer, 2016).<sup>8</sup>

Fig. 5 shows the development of the GC rate and the average repo rates for eligible and noneligible assets relative to the development of the ECB's deposit facility rate. We observe that

<sup>&</sup>lt;sup>8</sup>More detailed information about the European repo market infrastructure can be found in, for example, Nyborg, 2016; Bank for International Settlements, 2017 and European Central Bank, 2018.

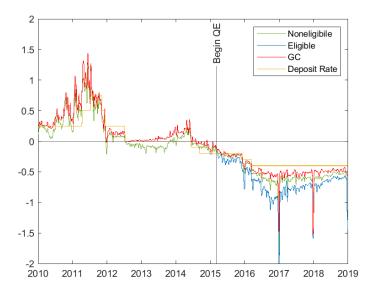


Fig. 5 shows the development of the German GC rate and the average volumeweighted repo rates for eligible and noneligible German assets relative to the development of the ECB's deposit facility rate.

Fig. 5. Repo rate development for Germany

(i) GC rates have fallen below the ECB's rate on the deposit facility at the height of the European sovereign debt crisis in 2012 and during the recent period of unconventional monetary policy, during which (ii) repo rates secured by assets eligible for QE have fallen below those for noneligible assets. Each observation points to a different form of segmentation. The first form speaks to the importance of access levels to central bank facilities and a segmentation between access and nonaccess banks, as it indicates that depositing funds at the deposit facility is attractive, in particular when the GC rate is below the deposit rate. The second form highlights the role of asset scarcity induced by QE programs. Market participants are willing to accept a lower interest rate to lend cash against eligible than against noneligible assets. The spread between eligible and noneligible rates has been present since the introduction of QE and peaked at the end of 2017 when eligibility criteria were arguably loosened by the ECB Securities Lending Programme (Brand, Ferrante, and Hubert, 2019).

#### 2.1. ECB access

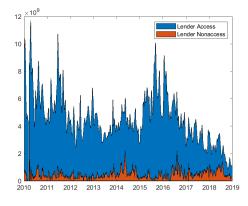
The ECB operates two standing facilities that allow banks to deposit or access liquidity on an overnight basis: The deposit facility allows for overnight deposits, while the marginal lending facility provides overnight central bank liquidity. Access to the ECB's facilities is, however, limited to eligible counterparties, most importantly to those banks that are subject to the Eurosystem's minimum reserve requirements. The minimum reserve system applies to banks and credit institutions established in the euro area.<sup>9</sup> Whether a bank is formed in- or outside of the euro area is unrelated to monetary policy and the repo market, and thus a source of exogenous variation.

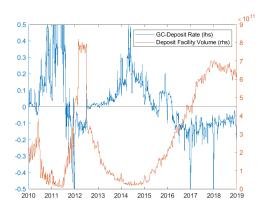
In our analysis, we exploit the eligibility criteria for access to the deposit facility. In particular, we consider the restriction that only euro area banks can access the deposit facility in order to classify lenders in a repo transaction into *access* and *nonaccess* banks. This implies that access banks can safely invest liquidity in the repo market or place it at the deposit facility, whereas nonaccess banks can only rely on the former.<sup>10</sup> Depositing money at the deposit facility typically offers a smaller return than other overnight lending or investment options since central bank reserves are considered the safest and most liquid asset. However, since 2015, repo rates in almost the entire European repo market have fallen below the rate on the deposit facility. This implies that the deposit facility provides an attractive remuneration for funds not invested otherwise.

Fig. 6a shows the development of the total GC trading volume for access and nonaccess banks while Fig. 6b depicts the spread between the GC rate and the ECB's rate on the deposit facility and the total volume of funds deposited at the ECB's deposit facility. In the two periods during which GC rates fell below the rate on the deposit facility (i.e., in 2012 and since 2015), we observe

<sup>&</sup>lt;sup>9</sup>Additional criteria, for example on financial soundness, allow the ECB to suspend eligibility for institutions under certain circumstances. The full set of eligibility criteria can be found in EU Guideline 2015/510 of the European Central Bank on the implementation of the Eurosystem monetary policy framework available at https://eurlex.europa.eu/legal-content/EN/TXT/HTML/?uri=CELEX:32014O0060.

<sup>&</sup>lt;sup>10</sup>Banks could also invest in government bonds directly as opposed to investing liquidity in the repo market or – when having access – placing funds at the deposit facility. However, investing in government bonds exposes banks to a different set of risks (e.g., market risks or duration risk / interest rate risk) which makes bond investments riskier and more volatile compared to repos. In addition, bond trades involve comparatively large transactions cost, in particular when bonds are purchased and sold on a daily basis to manage liquidity. Bond and repo markets also differ in terms of their market structure. For example, bond trades are over the counter (OTC) and banks do not benefit from netting or central clearing. Direct government bond investments therefore do not provide the same low-risk and liquid store of value as repos (Bank for International Settlements, 2017).





(a) General collateral trading volume

(b) Spread between GC and deposit facility rate

Fig. 6a depicts the total trading volume in the German GC market for trades involving a lender with and without access to the ECB facilities. Fig. 6b depicts the spread between the German GC rate and the ECB's rate on the deposit facility as well as the total volume deposited at the ECB deposit facility.

Fig. 6. General collateral repo market

a drop in GC trading volume. This drop is accompanied by an increase in the volume of funds deposited at the ECB's deposit facility. For example, since 2015, we observe a drop in general collateral trading volume to about a third of its original size. This reduction was mainly driven by banks that had access to the ECB's deposit facility. Correspondingly, the share of lending volume by access banks dropped by around 15 percentage points (see Fig. 2.2a in the Internet Appendix). To our knowledge, this is a new stylized fact, which suggests a first form of market segmentation between access and nonaccess banks. Access banks increasingly deposit funds at the deposit facility when repo rates fall below the rate on the deposit facility, while nonaccess banks continue to use the lending side in GC repo transactions to deposit their liquidity.

It is worth noting that the regulatory framework plays a negligible role in our analysis for at least three reasons: First, access and nonaccess banks in our sample are similarly regulated. Nonaccess banks also need to fulfill Basel regulations in their home countries (even though those countries are outside the euro area). Second, the new Basel (liquidity and capital) regulation considers all assets under inspection to be of the highest quality (Level 1 assets) from the perspective of the Liquidity Coverage Ratio (LCR) and liquidity regulation (Bank for International Settlements, 2017). For example, we depict results which only consider repo transactions collateralized by German government bonds (which are safe and liquid). Furthermore, all maturities under inspection are shorter than the thirty-day LCR cut-off time. Third, by focusing our analysis on the lending side the banks' incentive to reduce the leverage ratio (window-dressing) does not apply. In fact, reverse repos do not enter the Basel III leverage ratio calculation because the lender is not exposed to the risk of collateral (Ranaldo, Schaffner, and Vasios, 2020).

The importance of the access to the central bank's facilities is stressed in the literature. The deposit rate as the rate of remuneration for reserves is a general and important feature of financial intermediaries' decision problems that is incorporated into macro-financial models (Cúrdia and Woodford, 2011; Bech and Monnet, 2016; Williamson, 2019). In these models, a single deposit rate applies uniformly to all market participants. However, different values of the rate would entail different equilibria, in line with the segmentation that we discuss. Segmentation induced by different access levels to central bank facilities is supported empirically in Bech and Klee (2011) and Kraenzlin and Nellen (2015). The former argue that the level of the effective federal funds rate was pushed downward by government agencies that could not receive interest on reserves, while the latter find that banks without access to central bank facilities pay more interest in the unsecured money market to borrow liquidity.

#### 2.2. Asset eligibility

The ECB followed other major central banks in 2015 by announcing its intention to conduct large-scale asset purchases. Since the beginning of these programs, cumulative net purchases amounted to more than 2.5 trillion euro. The Public Sector Purchase Program is the largest of the programs implemented in the Eurosystem, it focuses on the purchase of government bonds.<sup>11</sup> The sheer size of these purchases has contributed to scarcity effects for government bonds, which are an important category of safe assets and serve as collateral in repo transactions. QE programs in general aim to influence longer-term rates in an environment where short-term rates are at the zero

 $<sup>^{11}</sup>$ Under the umbrella of the PSPP, the ECB buys nominal and inflation-linked government bonds as well as securities issued by recognized agencies, regional and local governments, international organizations, and multilateral development banks located in the euro area. Overall, around 90% of purchases correspond to government bonds.

lower bound. An impact of QE-induced asset scarcity on short-term rates is thus an unintended side effect. The effect of asset purchases on bond scarcity comes on top of tighter regulation of financial institutions under the new Basel framework (e.g., the introduction of the Leverage Ratio rules). The ECB has therefore constituted implementation provisions to limit market impacts and distortions. These provisions specify the conditions under which the ECB (via local central banks) is allowed to purchase government bonds: they contain (i) a maturity restriction that specifies the minimum and maximum remaining maturity of a security, (ii) a yield restriction that states that the yield of a security needs to be above the ECB's deposit facility rate, and (iii) it only allows for the purchase of bonds denominated in euro.<sup>12</sup> The implementation provisions for asset purchases provide a source of exogenous variation as to which securities meet the respective criteria.

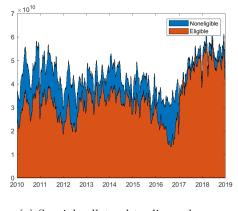
In our analysis, we exploit the implementation provisions to classify collateral in a repo transaction into *eligible* and *noneligible* depending on the provisions that were valid at a specific point in time. We further apply the initial implementation provisions retrospectively to compare time trends between *(hypothetically) eligible* and *noneligible* assets, which creates a difference-in-difference estimation setting. Observing similar reactions of both types of assets before QE would imply common trends and would allow us to interpret the post-QE results as causal.

Fig. 7a shows the development of the total trading volume in special collateral for eligible and noneligible securities while Fig. 7b depicts the spread between the average repo rate on noneligible and eligible securities. During the recent period of unconventional monetary policy, repo rates for eligible assets have fallen below those of noneligible assets. The spread between eligible and noneligible assets have fallen below those of noneligible assets. The spread between eligible and noneligible assets has peaked at the end of 2017. We do not observe similar systematic patterns in the period prior to the introduction of QE. A second, new stylized fact emerges as we observe an increase in special collateral trading volume since the start of QE, an increase that is predominantly driven by eligible assets.<sup>13</sup>

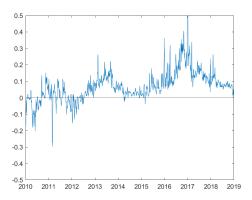
The interplay of central bank asset purchases, financial intermediation, and collateral has been

 $<sup>^{12}</sup>$ Over time, the ECB has adjusted and modified the initial implementation provisions. For example, the yield restriction ceased to exist at the end of 2017.

<sup>&</sup>lt;sup>13</sup>Since the implementation provisions have changed during the course of the program, the increase in the trading share of eligible assets is partly driven by an easing of the restrictions. The decline in eligible trading volume towards the end of 2017 was driven by German collateral trading at a yield below the ECB's deposit facility. The ECB therefore decided in January 2017 to void the yield restriction.



(a) Special collateral trading volume



(b) Spread between (hypothetically) eligible and noneligible assets

Fig. 7a depicts the total trading volume in the special collateral market for trades involving eligible and noneligible German collateral. Fig. 7b depicts the spread between the average repo rate on noneligible and eligible German securities.

#### Fig. 7. Special collateral repo market

featured prominently in the theoretical literature. Gertler and Karadi (2013) show that if limits to arbitrage exist in the banking sector, central bank purchases of securities cause yields to fall. Araújo, Schommer, and Woodford (2015) stress that the direction of the impact of asset purchases depends on the way collateral constraints are impacted. Piquard and Salakhova (2019) highlight how monetary policy affects unsecured and secured markets in a different way once the central bank purchases marketable collateral. Their mechanism is motivated by an increase in the opportunity cost of pledging collateral. Divergent QE effects on financial markets are also supported empirically. In the bond market, Koijen, Koulischer, Nguyen, and Yogo (2017) show that in response to the ECB's purchasing programs, foreign investors sold most of their QE eligible bond holdings to domestic investors. Thus, they document a strong home bias in eligible securities. This shift was also documented in aggregate data by Avdjiev, Everett, and Shin (2019). Schlepper, Riordan, Hofer, and Schrimpf (2017) show that QE increased prices and lowered liquidity in purchased German bonds. In the special repo market segment, Arrata, Nguyen, Rahmouni-Rousseau, and Vari (2020) and Corradin and Maddaloni (2020) show that asset purchases lowered the rates of repos collateralized with purchased assets.

#### 2.3. Theoretical mechanisms at work

Building on the framework proposed in Duffie (1996), the two market frictions in the GC and special repo market can also be illustrated in a supply and demand diagram. While Duffie (1996) focuses on the special market, we extend his framework to GC repos.

Fig. 8 depicts the supply and demand diagram in the GC market: the x-axis shows the GC rate, the y-axis the quantity. In the GC market, the trading behavior is characterized by the cash leg of the repo transaction: The borrower is searching for funding, the supply curve therefore has a negative slope (i.e., the lower the repo rate on a loan, the larger the supply of collateral to borrow).<sup>14</sup> On the demand side, we present two distinct demand curves: one for access banks and one for nonaccess banks. This is needed since the decision problem of those two types of banks is different; one is able to deposit funds at the deposit facility while the other is not.

The demand of nonaccess banks for investing liquidity is inelastic. While we do not model the behavior of nonaccess banks explicitly, this is suggested for several reasons: First, banks without central bank access face the decision problem of investing in the secured or unsecured money market. Repos are mostly secured by government bonds, which are safe assets per se, carrying convenience yields in the form of safety and liquidity benefits. Opportunity cost (benefits) of (from) pledging (obtaining) collateral (Bechtel, Eisenschmidt, and Ranaldo, 2019; Piquard and Salakhova, 2019) therefore create a net demand for safe assets (Infante, 2020). Second, financial regulation incentivizes directly and indirectly banks to hold secured deposits (Ranaldo, Schaffner, and Vasios, 2020). Finally, capacity constraints as well as limits to arbitrage in the unsecured money market can even lead the unsecured rate to fall below the secured rate (Nyborg, 2019), rendering unsecured investments unattractive. Access banks have a lower demand since they can always access the deposit facility. This option becomes more attractive when the GC rate falls below the rate on the deposit facility, leading to a lower demand of access banks. We illustrate this drop in demand by a kink in the demand curve.<sup>15</sup>

 $<sup>^{14}</sup>$ In the traditional model of Duffie (1996), the supply curve is upward-sloping since the x-axis shows the "special-ness" instead of the GC rate (reverse direction).

 $<sup>^{15}</sup>$ To provide empirical evidence for the kinked demand curve, we show that the share of access banks as lenders in repo transactions declines once the GC rate falls below the deposit facility rate (since access banks can place their funds at the central bank), while their share as borrowers remains constant (Section IA.2 in the Internet Appendix).

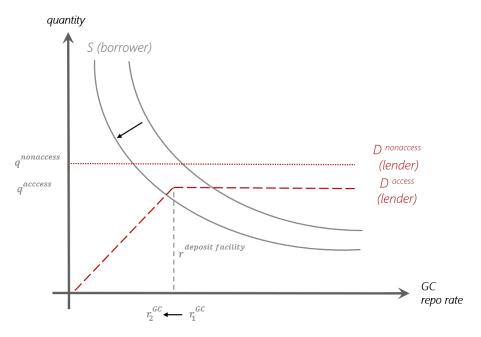


Fig. 8. Impact of supply shock in the GC repo market

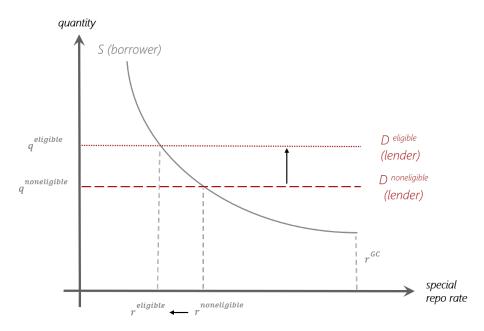


Fig. 9. Impact of demand shock in the special repo market

Since the start of QE, excess liquidity in the euro area has strongly risen (e.g., Arrata, Nguyen, Rahmouni-Rousseau, and Vari, 2020). This is graphically illustrated in a negative supply shock, that is, fewer banks need to borrow liquidity in the repo market. Three effects emerge from this negative supply shock: First, the GC rate can fall below the rate on the deposit facility. Second, this leads access banks to deposit an increasing share of their liquidity at the deposit facility, thus the size of the GC market and the trading share of access banks in the GC market declines. Third, and important to our regression analysis, interest rates between access and nonaccess banks diverge in the sense that the former institutions tend to lend at rates closer to the central bank deposit rate. As preliminary evidence, Fig. 6a shows the decline in the size of the GC market accompanied with a decrease in the trading share of access banks, while Fig. 6b illustrates that GC rates have fallen below the deposit facility rate.

Fig. 9 depicts the supply and demand diagram in the special market: the x-axis now shows the special rate, the y-axis the quantity. In the special market, the trading behavior is characterized by the collateral leg of the repo transaction: Following Duffie (1996), some security holders are only willing to lend (supply) those securities at a premium (i.e., at a repo rate below the GC rate). This translates into a negatively sloped supply curve. The demand in the form of short sellers is completely inelastic. Asset purchases of eligible securities have led to asset scarcity and an additional demand for eligible assets (Bank for International Settlements, 2017, p.16). This is graphically illustrated in two demand curves, one at a higher level (for eligible assets) and one at a lower level (for noneligible assets). Two effects emerge from this positive demand shock for eligible (collateral) assets. Second, repo rates diverge as rates for eligible assets fall below those for noneligible assets (i.e., eligible asset is more "special"). Fig. 7a shows the increase in the size of the special market accompanied by an increase in the trading share in eligible assets, while Fig. 7b illustrates that repo rates for eligible assets have fallen below repo rates for noneligible assets since the start of QE.

## 3. Data

We employ high-frequency data for the European repo market for the time period from 2010 to 2018. Our data includes all electronically traded repo transactions in euro on the three main trading platforms (i.e., BrokerTec, Eurex, and MTS) and covers more than 70% of the entire repo market universe. For each transaction, we observe the trade date, the term, the trade volume, the rate, the collateral identified by a unique ISIN or basket, the lender, the borrower, the aggressor type and the trading platform. We focus on the term types Overnight (ON), Tomorrow-Next (TN), and Spot-Next (SN), with the purchase date being tonight, tomorrow, or the day after tomorrow, respectively, and the repurchase date one day thereafter. These three term types make up 97% of the entire repo market trading volume. Trading in the GC market predominantly takes place in the ON and TN market segments, whereas trading in the special repo market segment predominantly takes place in the TN and SN market segments. We exclude three sub-groups of repos that represent a very small share of our data: First, we exclude special repos secured by corporate securities. Second, we exclude repos with floating rates, repos with open term type, bilaterally pre-arranged repos as well as repos that are not cleared via a central counterparty (CCP). Finally, we exclude repos that are traded infrequently.<sup>16</sup> We perform our analyses for three different groups of countries: (i) Germany, (ii) core European countries, and (iii) all European countries.<sup>17</sup>

To split our sample into access and nonaccess banks, we follow the approach of Di Filippo, Ranaldo, and Wrampelmeyer (2018) as well as Ranaldo, Schaffner, and Tsatsaronis (2019) in identifying banks. We classify banks into access and nonaccess institutions depending on whether they need to fulfill the reserve requirements of the Eurosystem and have access to the deposit facility. Banks trading in the GC market are, for example, Deutsche Bank AG and Nordea Bank Danmark A/S. The former is a euro area bank with access to the deposit facility, while the latter is a foreign bank without access.<sup>18</sup> Our data contains GC repo trades involving 98 different banks, of which

 $<sup>^{16}</sup>$ To be included in our analysis, a repo needs to be traded at least 100 times. In addition, between the issuance and maturity of the underlying collateral, a repo needs to be traded at least once every two weeks 95% of the time. Our results are robust to different specifications.

<sup>&</sup>lt;sup>17</sup>Core European countries include Austria, Belgium, Finland, France, Germany and the Netherlands, all European countries include in addition EU, Ireland, Italy, Portugal and Spain.

 $<sup>^{18}</sup>$ For our classification, we assume that local subsidiaries of global banking institutions operate independently in

85 are access banks and 13 are nonaccess banks.<sup>19</sup> We observe information on both the lending and borrowing bank for trades featuring 59% of the entire trading volume; among those trades, 22% are associated with a nonaccess bank. At the end of our sample period, access banks had, on average, assets worth 290 million euro compared to 240 million euro for nonaccess banks, the leverage ratios were about 17 for both types of banks, thus highlighting the comparability between access and nonaccess banks.

Moreover, we classify assets as eligible and noneligible for QE according to the PSPP's implementation provisions. Our data set contains special repo trades involving more than 2,000 different collateral assets (ISINs). Seventy-six percent of our sample involves repo trades collateralized by (hypothetically) eligible assets, 24% collateralized by noneligible assets.

## 4. Empirical results

We first analyze the monetary policy pass-through into the GC and special market before looking at market spillovers.

#### 4.1. Access/nonaccess banks

We want to understand whether the institutional segmentation associated with access restrictions to central bank facilities leads to a monetary policy disconnect. In particular, we ask whether the segmentation between access and nonaccess banks impedes the monetary policy transmission. Access banks always have the possibility to deposit funds at the deposit facility; our first testing hypothesis is therefore that access banks react less strongly to changes in the monetary policy target rate. This would imply less control of the monetary policy transmission for central banks and indicate pass-through inefficiencies.

We provide a first graphical intuition of the analysis in Fig. 10 that illustrates the lower sensitivity of access banks to changes in the monetary policy target rate in the form of impulse

the short-run. Thus, euro area subsidiaries of foreign banking groups have access to the deposit facility while foreign subsidiaries of euro area banking groups do not have access to the deposit facility.

<sup>&</sup>lt;sup>19</sup>The number of nonaccess banks is constant over the course of our sample, thereby mitigating endogeneity concerns of nonaccess banks switching their location to access the deposit facility.

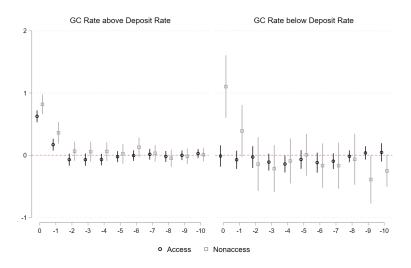


Fig. 10. Impulse response for German trades involving access/nonaccess banks

response functions. We compute the impulse response function for trades involving access and nonaccess banks separately for periods during which the GC rate is above the deposit rate (left panel) and below the deposit rate (right panel). The left panel highlights that access and nonaccess banks react similarly during periods when the GC rate is above the deposit rate, with the point estimate for access banks being slightly smaller. However, once the GC rate is below the rate on the deposit facility, the sensitivity of access banks is completely muted, while nonaccess banks exhibit an even higher sensitivity. The graphical results point towards a less effective monetary policy transmission once GC rates fall below the rate on the deposit facility associated with access banks reacting less to changes in the monetary policy target rate and a larger dispersion in repo rates of access and nonaccess banks.

For the empirical analysis, we formalize the graphical intuition in a set of panel regressions. Our main regression equations read as follows:

$$\Delta r_{t,i,l}^{GC} = \beta_1 \cdot \Delta PolRate_t + \beta_2 \cdot D_{t,n}^{Dep} + \beta_3 \cdot \Delta PolRate_t \cdot D_{t,n}^{Dep} + \beta_4 \cdot \Delta r_{t-1,i,l}^{GC} + \epsilon_t \tag{1}$$

$$\Delta r_{t,i,l}^{GC} = \beta_1 \cdot \Delta PolRate_t + \beta_2 \cdot D_{t,l}^{Access} + \beta_3 \cdot \Delta PolRate_t \cdot D_{t,l}^{Access} + \beta_4 \cdot \Delta r_{t-1,i,l}^{GC} + \epsilon_t$$
(2)

$$\Delta r_{t,i,l}^{GC} = \beta_1 \cdot \Delta PolRate_t + \beta_2 \cdot D_{t,n}^{Dep} + \beta_3 \cdot D_{t,l}^{Access} + \beta_4 \cdot \Delta PolRate_t \cdot D_{t,n}^{Dep}$$
(3)

$$+\beta_5 \cdot \Delta PolRate_t \cdot D_{t,l}^{Access} + \beta_6 \cdot \Delta PolRate_t \cdot D_{t,n}^{Dep} \cdot D_{t,l}^{Access} + \beta_7 \cdot \Delta r_{t-1,i,l}^{GC} + \epsilon_t,$$

where  $\Delta r_{t,i,l}^{GC}$  denotes the log-change in GC repo rates of basket *i* and lender type (access / nonaccess) *l* at time *t* and  $\Delta PolRate_t$  denotes the log-change in the EONIA. Moreover, we employ two dummy variables:  $D_{t,n}^{Dep}$ , which is equal to one if country *n*'s GC rate is below the deposit facility rate, and  $D_{t,l}^{Access}$ , which is equal to one if the lender *l* has access to the deposit facility.<sup>20</sup> Additionally, we add basket-month-term fixed effects and employ heteroscedasticity-robust standard errors. Trading in the more liquidity-driven GC repo market is concentrated in the ON and TN term types; we therefore show our main results as a pooled regression of both term types in Table 1. We report our results for (i) Germany in columns 1–3, (ii) core European countries in columns 4–6, and (iii) all countries in columns 7–9.

Although we will provide general validity to our results later, as a first step we restrict our sample to repo transactions collateralized by German government securities. Since German collateral is considered to be safe and liquid, we limit concerns about cross-country differences in sovereign risk and liquidity. Regression (1) relates changes in GC rates to changes in the monetary policy target rate, depending on whether the GC rate is above or below the rate on the deposit facility. The results highlight that GC rates react strongly: A one-percentage-point increase in the target rate is accompanied by an increase in GC rates of about 54 basis points. The effect is smaller at 36 basis points when the GC rate is below the rate on the deposit facility. In Regression (2), we analyze the different reactions of access and nonaccess banks. We find that GC trades involving a lender with access to the deposit facility react less strongly. An increase in the target rate by one percentage

<sup>&</sup>lt;sup>20</sup>The denominations are:  $\Delta r_{t,i,l}^{GC}$  is the log change in the volume weighted average daily reported per basket and lender type in percentage points. Correspondingly,  $\Delta PolRate_t$  refers to the log change in the EONIA denoted in percentage points.

		Germany			Core			ЧI	
	(1)	(2)	(3)	(4)	(5)	(9)	(2)	(8)	(6)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$						
	ON/TN b/t	$_{ m b/t}^{ m ON/TN}$	$_{ m b/t}^{ m ON/TN}$	ON/TN b/t					
$\Delta PolRate$	$0.539^{***}$ (15.700)	$0.717^{***}$ (10.745)	$0.675^{***}$ (8.781)	$0.472^{***}$ (23.035)	$0.683^{***}$ (16.875)	$0.643^{***}$ (14.261)	$0.424^{***}$ (24.699)	$0.589^{***}$ (16.774)	$0.560^{***}$ (15.106)
$D^{Dep}$	$-0.046^{**}$ (-2.265)		$-0.047^{**}$ (-2.338)	$-0.032^{***}$ (-2.940)		$-0.032^{***}$ (-2.922)	0.001 (0.143)		0.002 (0.221)
$\Delta PolRate \cdot D^{Dep}$	$-0.176^{**}$ (-2.216)		$0.265^{**}$ (2.082)	-0.048 (-0.897)		$0.298^{***}$ (3.968)	0.011 (0.220)		$0.384^{***}$ (5.668)
$D^{Access}$		-0.001 (-0.071)	-0.000 (-0.035)		-0.005 ( $-0.819$ )	-0.004 (-0.743)		-0.003 (-0.755)	(007.0-)
$\Delta PolRate \cdot D^{Access}$		$-0.264^{***}$ (-3.549)	$-0.177^{**}$ (-2.100)		$-0.284^{***}$ (-6.242)	$-0.222^{***}$ (-4.423)		$-0.223^{***}$ (-5.687)	$-0.184^{***}$ (-4.438)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.719^{***}$ (-4.970)			$-0.561^{***}$ (-5.885)			$-0.595^{***}$ (-6.733)
$\Delta repo^{GC}$ lagged	$-0.332^{***}$ (-14.230)	$-0.332^{***}$ (-14.147)	$-0.332^{***}$ (-14.151)	$-0.337^{***}$ (-24.685)	$-0.335^{***}$ (-24.388)	$-0.335^{***}$ (-24.410)	$-0.372^{***}$ ( $-30.291$ )	$-0.371^{***}$ (-30.133)	$-0.371^{***}$ (-30.167)
$N R^2$	$10,001 \\ 0.210$	10,001 0.213	10,001 0.220	35,082 0.180	$35,082 \\ 0.185$	$35,082 \\ 0.187$	58,183 0.174	58,183 0.177	58,183 0.178

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolItate$  denotes the change in the policy rate.  $D^{Dw}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Aaces}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively, r-statistics are in parentheses. All regressions include basket-month-term fixed effects and hereroskedustic-robust standard errors. Data induce GC repo transactions for Germany, one European countries and all European countries pooled across the term types ON and TN for the time-period 2010–2018.

point relates to an increase in GC rates involving access banks of 45 basis points as compared to 72 basis points for nonaccess banks. Considering our main Regression (3), which includes both dummy variables, we observe a combined effect: GC rates involving lenders with access tend to react less. Their reaction is particularly weak when GC rates are below the rate on the deposit facility. In this setting, the effect of changes in the monetary policy target rate on GC rates is 68 basis points for nonaccess banks as compared to 50 basis points for access banks. Once GC rates are below the rate on the deposit facility, the effect increases to 94 basis points for nonaccess banks while it decreases to 4 basis points for access banks. This indicates that lenders with access to the deposit facility do not react to changes in the target rate once GC rates are below the rate on the deposit facility, while lenders without access are very sensitive to it. As is graphically illustrated in the introduction, this leads to an increased dispersion in short-term rates between access and nonaccess banks, a natural indicator for monetary policy pass-through inefficiency. We observe a strong negative autocorrelation in repo rates, which is expected under mean reversion.

We perform a number of additional robustness checks to confirm our main results. First, columns 4–9 expand our analysis by looking at larger samples consisting of core European countries as well as all European countries. Overall, the results remain statistically and economically consistent. This indicates that the market segmentation caused by access to central bank facilities is not only present in the German "safe haven" market but across European countries as well. Second, we report consistent results for each term type and regional classification separately in the Internet Appendix. Finally, the results are also robust for different standard error and fixed effect specifications, these results are also reported in the Internet Appendix.

#### 4.2. Eligible/noneligible assets

We also want to understand whether the eligibility criteria for QE programs impede the monetary policy transmission. In particular, we ask whether the segmentation between eligible and noneligible assets leads to a monetary policy disconnect. Eligible collateral is scarce and in high demand; our second testing hypothesis is therefore that repo rates secured by assets eligible for QE are less aligned to the monetary policy target rate. Similar to the previous analysis, a lower sensitivity implies more difficulties in controlling the monetary policy transmission from the unsecured to the secured funding market. Again, we perform a set of panel analyses. Our main regression equations read as follows:

$$\Delta r_{t,i,l}^{Special} = \beta_1 \cdot \Delta PolRate_t + \beta_2 \cdot D_t^{QE} + \beta_3 \cdot \Delta PolRate_t \cdot D_t^{QE} + \beta_4 \cdot \Delta r_{t-1,i,l}^{Special} + \epsilon_t \tag{4}$$

$$\Delta r_{t,i,l}^{Special} = \beta_1 \cdot \Delta PolRate_t + \beta_2 \cdot D_{t,i}^{Eligible} + \beta_3 \cdot \Delta PolRate_t \cdot D_{t,i}^{Eligible}$$
(5)

$$+ \beta_4 \cdot \Delta PolRate_t \cdot D_t^{QE} \cdot D_{t,i}^{Eligible} + \beta_5 \cdot \Delta r_{t-1,i,l}^{Special} + \epsilon_t$$

$$\Delta r_{t,i,l}^{Special} = \beta_1 \cdot \Delta PolRate_t + \beta_2 \cdot D_t^{QE} + \beta_3 \cdot D_{t,i}^{Eligible} + \beta_4 \cdot \Delta PolRate_t \cdot D_t^{QE} \qquad (6)$$

$$+ \beta_5 \cdot \Delta PolRate_t \cdot D_{t,i}^{Eligible} + \beta_6 \cdot \Delta PolRate_t \cdot D_t^{QE} \cdot D_{t,i}^{Eligible} + \beta_7 \cdot \Delta r_{t-1,i,l}^{Special} + \epsilon_t,$$

where  $\Delta r_{t,i,l}^{Special}$  denotes the log-change in special repo rates and  $\Delta PolRate_t$  denotes the log-change in the EONIA. Moreover, we employ two dummy variables:  $D_{t,i}^{Eligible}$ , which is equal to one if security *i* is (hypothetically) eligible for purchase under the PSPP, and  $D_t^{QE}$ , which is equal to one after the introduction of the PSPP in March 2015. Additionally, we add ISIN-month-term fixed effects and heteroscedasticity-robust standard errors. Trading in the special repo market is concentrated in the TN and SN term types; we therefore show our main results as a pooled regression in Table 2. We report our results for (i) Germany in columns 1–3, (ii) core European countries in columns 4–6, and (iii) all countries in columns 7–9.

Regression (1) relates changes in special repo rates to changes in the monetary policy target rate in the period prior to and after the introduction of the QE program. A one-percentage-point change in the target rate translates into a change of around 11 basis points in special repo rates in the period prior to the PSPP. During the current period of unconventional monetary policy, the effect has been muted. Although well expected, a new stylized fact emerges as special rates react less strongly to changes in the monetary policy target rate than more liquidity-driven GC rates. Still, also a special repo trade involves a funding motive and reacts to changes in funding conditions. In Regression (2), we consider the impact of market segmentation along the lines of asset eligibility

		Germany			2000			All	
	(1) $\Delta reno^{Special}$	(2) $\Delta repo^{Special}$	$(3)$ $\Delta repo^{Special}$	(4) $\Delta_{reno^{Special}}$	(5) $\Delta reno^{Special}$	(6) $\Delta reno^{Special}$	(7) $\Delta repo^{Special}$	(8) $\Delta repo^{Special}$	(9) $\Delta repo^{Special}$
	TN/SN b/t	TN/SN b/t	TN/SN b/t	TN/SN b/t	TN/SN b/t	TN/SN b/t	TN/SN b/t	TN/SN b/t	TN/SN b/t
$\Delta PolRate$	$0.106^{***}$ (19.644)	$0.098^{***}$ (12.937)	$0.109^{***}$ (13.130)	$0.105^{***}$ (31.179)	$0.095^{***}$ (17.681)	$0.103^{***}$ (17.810)	$0.099^{***}$ (30.205)	$0.094^{***}$ (18.394)	$0.101^{***}$ (18.358)
$D^{QE}$	-0.016 (-1.462)		-0.016 (-1.434)	-0.008 (-1.187)		-0.008 (-1.158)	$-0.017^{*}$ (-1.752)		$-0.016^{*}$ (-1.740)
$\Delta PolRate \cdot D^{QE}$	$-0.150^{***}$ (-15.837)		$-0.120^{***}$ (-8.154)	$-0.126^{***}$ (-19.814)		$-0.104^{***}$ (-9.643)	$-0.108^{***}$ (-17.339)		$-0.089^{***}$ (-8.198)
$D^{Eligible}$		$0.004 \\ (0.454)$	$0.004 \\ (0.440)$		0.005 (0.972)	0.005 (0.969)		$0.004 \\ (0.669)$	$0.004 \\ (0.649)$
$\Delta PolRate \cdot D^{Eligible}$		0.006 (0.537)	-0.005 (-0.463)		$0.011 \\ (1.592)$	0.002 (0.295)		$0.004 \\ (0.562)$	-0.004 (-0.565)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.172^{***}$ (-14.035)	$-0.052^{***}$ (-2.737)		$-0.137^{***}$ (-17.552)	$-0.033^{**}$ (-2.453)		$-0.117^{***}$ (-15.319)	$-0.028^{**}$ (-2.119)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.719)	$-0.364^{***}$ (-20.716)	$-0.364^{***}$ (-20.719)	$-0.357^{***}$ (-39.267)	$-0.357^{***}$ (-39.259)	$-0.357^{***}$ (-39.264)	$-0.362^{***}$ (-51.918)	$-0.362^{***}$ (-51.911)	$-0.362^{***}$ (-51.915)
$N R^2$	$301,608 \\ 0.119$	$301,608 \\ 0.119$	$301,608 \\ 0.119$	705,633 0.115	705,633 0.115	705,633 0.115	$943,349 \\ 0.118$	$943,349 \\ 0.118$	$943,349 \\ 0.118$

Table 2. Asset eligibility

The table reports the regression results examining the impact of asset eligibility for quantitative easing programs on the  $r_{D}^{QE}$  equals 1 during the *PSPP*.  $\nu^{-} \sim \nu^{max}$ . The dependent variable is the change in the special rate  $\Delta repo^{Spread}$ .  $\Delta PolRade$  denotes the change in the oblicy rate.  $D^{QE}$  equals 1 during the *PSPP*.  $\nu^{-} \sim \nu^{max}$  is a scurity is (hypothetically) eligible for purchase under the SPP. \*\*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include SIN-month-term fixed effects and heteroskedastic-robust standard terms. Data include special repo transactions for Germany, core European countries and all European countries pooled across the term types ON and TN for the time-period 2010–2018.

for QE in a difference-in-difference setting. The dummy variable  $D_{t,i}^{Eligible}$  measures whether the underlying collateral asset fulfills the eligibility criteria since the start of the program and whether it had (hypothetically) fulfilled the criteria in the prior periods. In order to be able to interpret the effect of asset eligibility as causal, we need to verify that the common trend assumption holds. This assumption holds if eligible and noneligible collateral asset behave similarly in the period prior to QE. We therefore apply the initial implementation provisions retrospectively. We observe that trades involving hypothetically eligible collateral asset do not exhibit significantly different changes in reportates prior to QE; eligible and noneligible collateral assets also respond similarly to changes in the monetary policy rate during that period. In the pre-QE period, the common trend assumption therefore holds. However, since the start of QE, repo trades involving eligible collateral assets have a 17-basis-point lower sensitivity compared to noneligible collateral assets. This speaks to an effect caused by unconventional monetary policy. Our main Regression (3) captures both effects. The impact of changes in the monetary policy target rate on special repo rates is almost muted during QE, which is in particular driven by trades involving eligible collateral assets. In the period after the introduction of QE, an increase in the target rate by one percentage point implies an increase in the rates of noneligible collateral assets by five basis points more relative to eligible collateral assets. While the overall size of this effect seems to be small, it represents a 50% decrease relative to the overall sensitivity of special reported reported to changes in funding conditions. Graphically, the increasing dispersion between eligible and noneligible rates around the monetary policy rate since QE is depicted in the introduction, and indicates monetary policy pass-through inefficiency.

Similar to the previous analyses, we perform a number of additional robustness checks to confirm our main results. First, columns 4–9 extend our analysis to core and all European countries, respectively. Second, we report the results for each term type and regional classification, and the results for different standard error and fixed effect specifications in the Internet Appendix. Overall, the results remain statistically and economically consistent.

To better understand the economic determinants of our results, we extend our analysis by looking at asset scarcity associated with unconventional monetary policy in more detail. Our idea is that asset scarcity is stronger for those assets which have been QE eligible for a longer period

	DE	DE	Core	Core	All	All
	$\Delta repo^{Special}$ TN/SN b/t					
$\Delta PolRate$	$0.106^{***}$ (19.643)	$0.106^{***}$ (19.643)	$0.105^{***}$ (31.179)	$0.105^{***}$ (31.179)	$0.099^{***}$ (30.205)	$0.099^{***}$ (30.205)
$D^{QE}$	-0.015 (-1.380)	-0.016 (-1.423)	-0.008 (-1.102)	-0.008 (-1.157)	$-0.016^{*}$ (-1.699)	$-0.016^{*}$ (-1.736)
$\Delta PolRate \cdot D^{QE}$	$-0.094^{***}$ (-9.018)	$-0.120^{***}$ (-8.469)	$-0.080^{***}$ (-11.341)	$-0.103^{***}$ (-9.773)	$-0.070^{***}$ (-10.103)	$-0.082^{***}$ (-7.509)
$\Delta PolRate \cdot TSE$	$-0.001^{***}$ (-9.635)		$-0.001^{***}$ (-9.882)		$-0.001^{***}$ (-10.592)	
$\Delta PolRate*$						
$TSE^1_{Bucket}$		-0.008 (-0.486)		-0.010 (-0.847)		$-0.022^{*}$ (-1.802)
$TSE_{Bucket}^2$		$-0.279^{***}$ (-5.995)		$-0.086^{**}$ (-2.491)		-0.036 (-1.344)
$TSE_{Bucket}^3$		$-0.470^{***}$ (-6.521)		$-0.459^{***}$ (-9.542)		$-0.382^{***}$ (-11.200)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.715)	$-0.364^{***}$ (-20.716)	$-0.357^{***}$ (-39.263)	$-0.357^{***}$ (-39.265)	$-0.362^{***}$ (-51.913)	$-0.362^{***}$ (-51.917)
$\frac{N}{R^2}$	$301,608 \\ 0.119$	$301,608 \\ 0.119$	$705,633 \\ 0.115$	$705,633 \\ 0.115$	$943,\!349$ 0.118	$943,349 \\ 0.118$

Table 3. Asset eligibility: time since eligibility

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through under particular consideration of the number of days an asset is eligible for purchase. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP. TSE refers to the time since eligibility (i.e, the cumulative time an asset is eligible for purchase under the PSPP), which we split in three buckets:  $TSE_{Bucket}^1$  for assets which have (cumulatively) been eligible for up to 200 days,  $TSE_{Bucket}^2$  for assets which have been eligible for up to 400 days, and  $TSE_{Bucket}^3$  for assets which have been eligible for up to 400 days, and  $TSE_{Bucket}^3$  for assets which have been eligible for up to 400 days. and  $TSE_{Bucket}^3$  for assets which have been eligible for more than 400 days. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedasticity-robust standard errors. Data include special repo transactions for all European countries pooled across the term types TN and SN for the time-period 2010–2018.

(since the ECB had more opportunities to purchase those securities). We therefore introduce a new variable "time since eligibility" (TSE) which captures the number of days an asset has been eligible for purchase under the PSPP.<sup>21</sup>

Table 3 reports the regression results focusing on asset scarcity effects. We show two regression specifications: (i) by employing our new TSE variable, and (ii) by employing three TSE buckets with  $TSE_{Bucket}^{1}$  for assets which have been QE eligible for up to 200 trading days,  $TSE_{Bucket}^{2}$ for assets which have been eligible for up to 400 days, and  $TSE_{Bucket}^{3}$  for assets which have been eligible for more than 400 days. For all regressions, we replace our previous  $D_{t,i}^{Eligible}$  dummy with the newly introduced TSE variable, interacted with the log-change in the monetary policy rate  $\Delta PolRate_t$ .

Regression (1) relates changes in special reportates to changes in the monetary policy target rate under consideration of the TSE variable. We observe that the monetary policy pass-through into reportates is weaker for those assets that have been eligible for purchase for a longer period. A one-percentage-point change in the target rate translates into a 0.1 basis points lower sensitivity in special reportates for each day an asset is eligible for purchase. To put this number into perspective: Assets which are 100 days eligible for purchase have a 10 basis points lower sensitivity. Regression (2) shows that the lower sensitivity of eligible assets is particularly driven by those assets which have been eligible for the longest period. For example, assets which have been eligible for less than 200 trading days do not show a significantly different sensitivity compared to assets which has never been eligible for purchase. However, assets which have been eligible for up to 400 days, have a 28-basis-point lower sensitivity. For assets which have been eligible for more than 400 days, the effect increases to 47-basis-points. The results are consistent for core and all European countries.

Clearly, our results speak to the role of asset scarcity, as assets which have been eligible for purchase by the ECB for a longer period (scarcer assets) are less sensitive to changes in the policy rate. This is in line with an upward movement in the demand curve for eligible assets.

 $<sup>^{21}</sup>$ TSE is a continuous variable which increases by one if asset i on day t was eligible for purchase under the PSPP. If an asset was eligible in the past but is not at the moment, the TSE variable keeps its value.

#### 4.3. Market spillovers

In addition to the described impediments to the pass-through mechanism, those forms of market segmentation also reinforce one another and thus add to the disconnect between monetary policy and the repo market.

In particular, certain GC baskets contain a higher share of collateral assets that are eligible for asset purchases; thus, market participants might trade in these baskets to source eligible collateral assets.<sup>22</sup> Lenders in a GC transaction might accept a lower interest on those baskets that feature a higher share of eligible assets. This would imply that conditions in the GC market are affected by scarcity effects associated with QE, which would be an additional source of dispersion impeding the monetary policy pass-through. We therefore compute the share of securities eligible for QE programs within the pool of collateral assets potentially deliverable into a GC basket as an indicator for the likelihood of obtaining a QE eligible asset as collateral, even in a GC transaction. Our data features a cross-section of 46 GC baskets for which we compute, at each point in time, the share, weighted by issuance volume, of the securities that can be used as collateral that are also (hypothetically) eligible for central bank asset purchases.<sup>23</sup>

For the panel regression, we ask whether baskets with a higher share of eligible securities react less strongly to changes in the monetary policy target rate, even after accounting for the banks' access to the ECB's deposit facility as a first form of market segmentation. For the regression, we follow the previously introduced approach for the GC market and newly introduce the dummy variable  $D_{t,i}^{HighShare}$ , which is equal to one if a basket *i* at time *t* has a (hypothetical) eligibility share higher than the median eligibility share across all baskets of that country at time *t*. As before, we add basket-month-term fixed effects and employ heteroscedasticity-robust standard errors. We show our main results as a pooled regression of the term types ON and TN in Table 4. We report our results for (i) Germany in columns 1–2, (ii) core European countries in columns 3–4, and (iii)

 $<sup>^{22}</sup>$ In the context of a shrinking GC market, nonaccess banks might also access the special market to deposit part of their liquidity. Results for this form of spillover effects can be found in the Internet Appendix.

<sup>&</sup>lt;sup>23</sup>Consider, for example, the Eurex GC Basket "German Bond GC." All bonds issued by the German sovereign with a fixed or zero coupon and a minimum issue size of 100 million euro can be used as collateral for this basket. For each trading day and basket, we compile a list of all bonds that meet these basket-specific criteria and evaluate whether these securities are (hypothetically) eligible for QE purchases. The sample is slightly smaller compared to the previous analysis for the GC market due to data availability.

all countries in columns 5–6.

Regression (1) confirms the impeded monetary policy pass-through resulting from different access levels to central bank facilities (our main regression), as access banks are less sensitive to changes in the target rate, in particular when the GC rate hovers below the rate on the deposit facility. In Regression (2), we consider the additional impact of the eligibility share associated with a particular basket. We observe that trades involving baskets with high and low eligibility shares respond differently to changes in the monetary policy rate, even after controlling for the banks' access to the deposit facility. Prior to the introduction of QE, baskets with a hypothetically higher share of eligible collateral assets tended to react slightly more. However, since the start of QE, repo trades involving baskets with a higher share of eligible securities are less sensitive to changes in the monetary policy target rate, more than undoing the baseline effect. In the period after the introduction of QE, an increase in the target rate by one percentage point is associated with a seven-basis-point lower increase in the rates of baskets with a higher eligibility share relative to baskets with a lower eligibility share. Regression (2) captures two forms of market segmentation that impact the monetary policy pass-through: the effect of segmented access to the deposit facility and, additionally, the effect of segmented asset eligibility for asset purchasing programs. The impact of changes in the monetary policy target rate on GC rates is smaller for trades involving banks with access to the deposit facility and for baskets with a higher share of eligible collateral assets. This implies that the immediate reaction of GC rates to changes in monetary policy differs along those lines of market segmentation, a sign of monetary policy pass-through inefficiency. Comparing the economic magnitude, access to central bank facilities is the more pronounced effect.

Columns 3–6 expand our analysis by looking at larger samples. Again, the results remain statistically and economically consistent when we extend our sample to core and all European countries. The results highlight that in the more funding-related GC market, the pass-through of changes in the monetary policy target rate has been additionally impeded by market segmentation associated with the implementation of QE.

	Gerr	nany	(	Core	А	.11
	(1)	(2)	(3)	(4)	(5)	(6)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{Special}$	$\Delta repo^{GC}$	$\Delta repo^{Ge}$
	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	ON/TN b/t
$\Delta PolRate$	$0.622^{***}$ (6.908)	$0.475^{***}$ (5.030)	$\begin{array}{c} 0.642^{***} \\ (12.537) \end{array}$	$0.576^{***}$ (10.521)	$\begin{array}{c} 0.652^{***} \\ (14.287) \end{array}$	$0.606^{***}$ (12.420)
$D^{Dep}$	$-0.066^{**}$ (-2.451)	$-0.067^{**}$ (-2.456)	$-0.038^{***}$ (-2.768)	$-0.037^{***}$ (-2.699)	$-0.025^{**}$ (-2.150)	$-0.024^{*}$ (-2.077
$\Delta PolRate \cdot D^{Dep}$	$0.266^{*}$ (1.805)	$\begin{array}{c} 0.361^{***} \\ (2.692) \end{array}$	$\begin{array}{c} 0.279^{***} \\ (3.253) \end{array}$	$\begin{array}{c} 0.383^{***} \\ (4.260) \end{array}$	$\begin{array}{c} 0.269^{***} \\ (3.343) \end{array}$	$\begin{array}{c} 0.349^{**} \\ (4.165) \end{array}$
$D^{Access}$	-0.003 (-0.192)	-0.004 (-0.265)	$-0.005 \ (-0.773)$	-0.006 (-1.018)	-0.004 (-0.690)	-0.005 (-0.908)
$\Delta PolRate \cdot D^{Access}$	$-0.188^{*}$ (-1.896)	$-0.181^{**}$ (-2.015)	$-0.265^{***}$ (-4.683)	$-0.260^{***}$ (-4.594)	$-0.313^{***}$ (-6.171)	$-0.311^{**}$ (-6.132
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.610^{***}$ (-3.516)	$-0.606^{***}$ (-3.775)	$-0.494^{***}$ (-4.785)	$-0.456^{***}$ (-4.341)	$-0.436^{***}$ (-4.436)	$-0.402^{**}$ (-4.035
$D^{QE}$		-0.113 (-1.489)		-0.047 (-1.340)		-0.056 $(-1.071$
$D^{HighShare}$		-0.017 (-1.509)		$-0.010^{**}$ (-2.047)		$-0.010^{*}$ (-2.180
$\Delta PolRate \cdot D^{HighShare}$		$\begin{array}{c} 0.252^{***} \\ (3.338) \end{array}$		$\begin{array}{c} 0.141^{***} \\ (3.255) \end{array}$		$0.102^{**}$ (2.576)
$\Delta PolRate \cdot D^{HighShare} \cdot D^{QE}$		$-0.315^{***}$ (-2.872)		$-0.429^{***}$ (-6.802)		$-0.349^{*}$ (-5.467)
$\Delta repo^{GC}$ lagged	$-0.339^{***}$ (-11.619)	$-0.340^{***}$ (-11.817)	$-0.337^{***}$ (-22.676)	$-0.338^{***}$ (-22.734)	$-0.337^{***}$ (-24.789)	$-0.337^{**}$ (-24.814)
$\frac{N}{R^2}$	$6,802 \\ 0.256$	6,802 0.262	$30,314 \\ 0.236$	30,314 0.239	37,453 0.231	37,453 0.233

Table 4. Second dimension of segmentation in the GC market

The table reports the regression results examining the simultaneous impact of ECB access and asset eligibility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility.  $D^{QE}$  equals 1 during the PSPP.  $D^{HighShare}$  equals 1 if a basket *i* at point *t* has a higher share of eligible securities than the median basket for that country. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC repo transactions for Germany, core European countries and all European countries pooled across the term types ON and TN for the time-period 2010–2018.

## 5. Alternative policy measures

To underline the robustness of our results we experiment with alternative policy rates. Our (i) baseline rate is the EONIA, a weighted average of the interest rates on unsecured overnight lending transactions denominated in euros, as reported by a panel of contributing banks. It is (indirectly) determined by the rates that the ECB sets on its standing facilities. In 2017, the ECB announced that the euro short-term rate ( $\in$ STR) will replace the EONIA as the new short-term interest rate benchmark in the euro area. The €STR rate reflects the wholesale euro unsecured overnight borrowing costs of banks located in the euro area, and thus covers the borrowing cost of a larger set of banks as compared to the EONIA. Historical  $\in$  STR rates date back to the 15th of March 2017. As a (ii) second rate, we therefore consider an EONIA-€STR combination with the €STR rate replacing the EONIA after its publication. As a (iii) third, unsecured reference rate, we consider the overnight euro LIBOR rate. Since monetary policy shapes expectations about future short-term interest rates, we also consider a set of derivatives-based, forward-looking overnight interest rates. We employ (iv) the overnight point of the Overnight Index Swap (OIS)-implied zero curve which uses one-month, three-month, and six-month OIS derivatives, as well as (v) the overnight point of the EURIBOR-implied zero curve, which uses one-month, three-month, and six-month EURIBOR derivatives. As a (vi) final rate, we consider the one-week OIS rate.<sup>24</sup>

Table 5 reports the results of our baseline specification in the GC market for the six policy rates described above, while Table 6 reports the results of our baseline specification in the special market. We present the results for German repo transactions. In the GC market, the estimations are statistically and economically consistent across all specifications. Two key results emerge from this analysis: First, GC repo rates are more sensitive to changes in unsecured overnight rates as compared to derivative-based implied overnight rates. This makes sense intuitively since we expect the conditions in the unsecured market to be a key determinant of trades in the secured market. In line with this intuition, the explanatory power of our panel regressions is largest for changes

<sup>&</sup>lt;sup>24</sup>Since we observe daily closing prices for the derivatives-based measures from Thomson Reuters/Refinitiv Eikon, we relate changes in policy rates over two days to daily rate changes in repo rates.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS $1W$
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN} { m b/t}$	${ m ON/TN} { m b/t}$	ON/TN b/t	${ m ON/TN} m_{b/t}$
$\Delta PolRate$	$0.675^{***}$ (8.781)	$\begin{array}{c} 0.705^{***} \\ (9.274) \end{array}$	$0.480^{***}$ (9.220)	$\begin{array}{c} 0.334^{***} \\ (6.013) \end{array}$	$\begin{array}{c} 0.179^{***} \\ (5.055) \end{array}$	$\begin{array}{c} 0.329^{***} \\ (4.349) \end{array}$
$D^{Dep}$	$-0.047^{**}$ (-2.338)	$-0.026^{**}$ (-2.059)	$-0.051^{**}$ (-2.520)	-0.021 (-1.564)	$-0.029^{**}$ (-2.061)	$-0.029^{**}$ (-2.249)
$\Delta PolRate \cdot D^{Dep}$	$0.265^{**}$ (2.082)	$0.253^{**}$ (2.086)	$\begin{array}{c} 0.356^{***} \\ (4.003) \end{array}$	$0.268^{**}$ (2.571)	$0.179^{**}$ (2.196)	$\begin{array}{c} 0.363^{***} \\ (3.249) \end{array}$
$D^{Access}$	$-0.000 \ (-0.035)$	$\begin{array}{c} 0.002\\ (0.183) \end{array}$	$\begin{array}{c} 0.004 \\ (0.339) \end{array}$	$0.001 \\ (0.120)$	-0.004 (-0.361)	$\begin{array}{c} 0.001 \\ (0.090) \end{array}$
$\Delta PolRate \cdot D^{Access}$	$-0.177^{**}$ (-2.100)	-0.128 (-1.474)	$-0.117^{*}$ (-1.743)	$-0.165^{***}$ (-2.702)	$-0.072^{*}$ (-1.887)	$-0.046 \\ (-0.516)$
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.719^{***}$ (-4.970)	$-0.648^{***}$ (-4.425)	$-0.670^{***}$ (-5.607)	$-0.378^{***}$ (-3.377)	$-0.264^{***}$ (-3.058)	$-0.258^{*}$ (-1.740)
$\Delta repo^{GC}$ lagged	$-0.332^{***}$ (-14.151)	$-0.311^{***}$ (-12.972)	$-0.420^{***}$ (-15.125)	$-0.323^{***}$ (-12.711)	$-0.311^{***}$ (-12.876)	$-0.324^{***}$ (-12.113)
$\frac{N}{R^2}$	$10,001 \\ 0.220$	$\begin{array}{c} 10,158\\ 0.231\end{array}$	$9,952 \\ 0.187$	9,778 0.124	$9,758 \\ 0.114$	$\begin{array}{c} 10,\!078\\ 0.144\end{array}$

Table 5. ECB access: Germany

The table reports the robustness results examining the impact of access to the ECB's deposit facility on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include German GC repo transactions pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS 1W
	$\Delta repo^{Special}$	$\Delta repo^{Specia}$				
	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$				
$\Delta PolRate$	$0.109^{***}$ (13.130)	$0.109^{***}$ (13.130)	$0.105^{***}$ (11.394)	$0.054^{***}$ (9.442)	$0.046^{***}$ (9.250)	$0.101^{***}$ (12.053)
$D^{QE}$	-0.016 (-1.434)	-0.016 (-1.421)	$-0.040^{***}$ (-3.105)	$-0.028^{**}$ (-2.303)	$-0.031^{**}$ (-2.465)	$-0.039^{***}$ (-3.456)
$\Delta PolRate \cdot D^{QE}$	$-0.120^{***}$ (-8.154)	$-0.116^{***}$ (-7.867)	$-0.109^{***}$ (-9.346)	$-0.025^{***}$ (-3.565)	$-0.019^{***}$ (-2.984)	$-0.039^{**}$ (-2.427)
$D^{Eligible}$	0.004 (0.440)	0.004 (0.435)	$0.003 \\ (0.316)$	0.003 (0.314)	$0.002 \\ (0.254)$	0.002 (0.187)
$\Delta PolRate \cdot D^{Eligible}$	-0.005 (-0.463)	-0.005 (-0.463)	$-0.000 \ (-0.015)$	$0.015^{**}$ (1.987)	$\begin{array}{c} 0.002\\ (0.355) \end{array}$	$-0.022^{**}$ (-2.059)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.052^{***}$ (-2.737)	$-0.044^{**}$ (-2.289)	-0.023 (-1.491)	$-0.031^{***}$ (-3.346)	$-0.017^{**}$ (-2.021)	-0.023 (-1.086)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.719)	$-0.364^{***}$ (-20.719)	$-0.365^{***}$ (-20.277)	$-0.363^{***}$ (-19.856)	$-0.363^{***}$ (-19.668)	$-0.359^{***}$ (-20.195)
$\frac{N}{R^2}$	$301,608 \\ 0.119$	$301,608 \\ 0.119$	$299,889 \\ 0.120$	$290,153 \\ 0.119$	$289,058 \\ 0.120$	$298,718 \\ 0.116$

Table 6. Asset eligibility: Germany

The table reports the robustness results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include German special repo transactions pooled across the term types TN and SN for the time-period 2010–2018.

in unsecured overnight rates, which confirms our approach of employing the EONIA across our baseline specifications. Second, all regressions arrive at the same conclusion, that is, access banks are less sensitive to changes in monetary policy target rates, in particular, when the GC rate is below the rate on the deposit facility.

In the special market, our results are also consistent if we employ alternative policy measures. Again, special repo rates are more sensitive to changes in unsecured overnight rates as compared to derivative-based implied overnight rates. Overall, the results confirm that eligible securities are less sensitive to changes in monetary policy target rates since the start of the ECB's QE program. This lower sensitivity has not been present in prior periods.

## 6. Conclusion and outlook

Institutional and political aspects are crucial for the monetary policy transmission. We provide the first empirical study highlighting how two forms of segmentation affecting the main short-term funding market, the repo market, impede the monetary policy pass-through. First, banks with access to the central bank's deposit facility lend at short-term rates that are more misaligned from the monetary policy target rate. Second, secured loans whose collateral assets are the target of Quantitative Easing programs are more disconnected from the monetary policy rate. We provide compelling evidence that these two forms of segmentation disconnecting the monetary policy transmission are statistically and economically relevant.

Our analysis provides new insights into monetary policy and funding liquidity. It calls for reconsidering two common notions in central banking. First, even if central banks exert more control over financial institutions in their jurisdictions, it is not always true that those financial entities are more effective for the monetary policy transmission. Second, under certain circumstances the idea that unconventional policies "safeguard the transmission of our monetary policy," as pointed out by ECB President Christine Lagarde to justify the new pandemic emergency purchase programme (PEPP), is misplaced (European Central Bank, 2020). Concerning prudential policy, the European Commission issued some amendments to the Capital Requirements Regulation (CRR) "to facilitate bank lending in the Union amid COVID-19" (European Commission, 2020). At the heart of the CRR amendments, there is the (temporary) exclusion of central bank reserves from the calculation of the leverage ratio needs. While desirable for prudential reasons, this policy could encourage additional amounts to be deposited at the ECB deposit facility creating more segmentation and the opposite effect to its aim. Other institutional frictions than those highlighted in our paper might obstruct the monetary policy transmission and we leave this issue to future research.

## References

- Al-Eyd, M. A., Berkmen, P., 2013. Fragmentation and monetary policy in the euro area. International Monetary Fund Working Paper (No.13-208).
- Altavilla, C., Brugnolini, L., Gürkaynak, R. S., Motto, R., Ragusa, G., 2019. Measuring euro area monetary policy. Journal of Monetary Economics 108, 162–179.
- Altavilla, C., Canova, F., Ciccarelli, M., 2020. Mending the broken link: Heterogeneous bank lending rates and monetary policy pass-through. Journal of Monetary Economics 110, 81–98.
- Andries, N., Billon, S., 2016. Retail bank interest rate pass-through in the euro area: An empirical survey. Economic Systems 40, 170–194.
- Araújo, A., Schommer, S., Woodford, M., 2015. Conventional and unconventional monetary policy with endogenous collateral constraints. American Economic Journal: Macroeconomics 7, 1–43.
- Arrata, W., Nguyen, B., Rahmouni-Rousseau, I., Vari, M., 2020. The scarcity effect of quantitative easing on reportates: Evidence from the euro area, Journal of Financial Economics (forthcoming).
- Avdjiev, S., Everett, M., Shin, H. S., 2019. Following the imprint of the ECB's asset purchase programme on global bond and deposit flows. BIS Quarterly Review, March 2019, 69-81.
- Avouyi-Dovi, S., Horny, G., Sevestre, P., 2017. The stability of short-term interest rates passthrough in the euro area during the financial market and sovereign debt crises. Journal of Banking and Finance 79, 74–94.
- Bank for International Settlements, 2017. Repo market functioning. CGFS Papers No. 59.
- Bartolini, L., Hilton, S., Sundaresan, S., Tonetti, C., 2011. Collateral values by asset class: Evidence from primary securities dealers. Review of Financial Studies 24, 248–278.
- Bech, M., Klee, E., 2011. The mechanics of a graceful exit: Interest on reserves and segmentation in the federal funds market. Journal of Monetary Economics 58, 415–431.
- Bech, M., Monnet, C., 2016. A search-based model of the interbank money market and monetary policy implementation. Journal of Economic Theory 164, 32–67.

- Bechtel, A., Eisenschmidt, J., Ranaldo, A., 2019. Quantitative easing and the safe asset illusion. Unpublished working paper .
- Boissel, C., Derrien, F., Ors, E., Thesmar, D., 2017. Systemic risk in clearing houses: Evidence from the European repo market. Journal of Financial Economics 125, 511–536.
- Brand, C., Ferrante, L., Hubert, A., 2019. From cash- to securities-driven euro area repo markets: the role of financial stress and safe asset scarcity. ECB Working Paper .
- Cœuré, B., 2018. The future of central bank money: Speech at the ECB workshop on money markets, monetary policy implementation, and central bank balance sheets. Available at https://www.ecb.europa.eu/press/key/date/2018/html/ecb.sp180514\_4.en.html.
- Cœuré, B., 2019. A tale of two money markets: Fragmentation or concentration: Speech at the international center for monetary and banking studies. Available at https://www.ecb.europa.eu/press/key/date/2019/html/ecb.sp191112~5808616051.en.html.
- Copeland, A., Martin, A., Walker, M., 2014. Repo runs: Evidence from the tri-party repo market. Journal of Finance 69, 2343–2380.
- Corradin, S., Maddaloni, A., 2020. The importance of being special: Repo markets during the crisis, Journal of Financial Economics (forthcoming).
- Cúrdia, V., Woodford, M., 2011. The central-bank balance sheet as an instrument of monetary policy. Journal of Monetary Economics 58, 54–79.
- Di Filippo, M., Ranaldo, A., Wrampelmeyer, J., 2018. Unsecured and secured funding, University of St.Gallen School of Finance Research Paper Series, 2016/16.
- Drechsler, I., Savov, A., Schnabl, P., 2017. The deposits channel of monetary policy. The Quarterly Journal of Economics 132, 1819–1876.
- Duffie, D., 1996. Special repo rates. Journal of Finance 51, 493–526.
- Duffie, D., Krishnamurthy, A., 2016. Pass-through efficiency in the Fed's new monetary policy setting. Designing resilient monetary policy frameworks for the future, a symposium sponsored by the Federal Reserve Bank of Kansas City, Jackson Hole August 25-27, 2016, 21–102.
- European Central Bank, 2018. Euro money market survey, 2018. Available at https://www.ecb. europa.eu/pub/euromoneymarket/html/ecb.euromoneymarket201909\_study.en.html.
- European Central Bank, 2020. Introductory statement. Press conference of the ECB Governing Council, June 4 2020 Available at https://www.ecb.europa.eu/press/pr/date/2020/html/ ecb.mp200604~a307d3429c.en.html.
- European Commission, 2020. Proposal for a Regulation of the European Parliament and of the Council. Amending Regulations (EU) No 575/2013 and (EU) 2019/876 as regards adjustments in response to the COVID-19 pandemic.
- Gertler, M., Karadi, P., 2013. QE 1 vs. 2 vs. 3...: A framework for analyzing large-scale asset purchases as a monetary policy tool. International Journal of Central Banking 9, 5–53.

- Gorton, G., Metrick, A., 2012. Securitized banking and the run on repo. Journal of Financial Economics 104, 425–451.
- He, Z., Nagel, S., Song, Z., 2020. Treasury inconvenience yields during the covid-19 crisis, Working Paper.
- Horvath, R., Kotlebova, J., Siranova, M., 2018. Interest rate pass-through in the euro area: Financial fragmentation, balance sheet policies and negative rates. Journal of Financial Stability 36, 12–21.
- Hristov, N., Hülsewig, O., Wollmershäuser, T., 2014. The interest rate pass-through in the euro area during the global financial crisis. Journal of Banking and Finance 48, 104–119.
- Illes, A., Lombardi, M. J., Mizen, P., 2019. The divergence of bank lending rates from policy rates after the financial crisis: The role of bank funding costs. Journal of International Money and Finance 93, 117–141.
- Infante, S., 2020. Private money creation with safe assets and term premia. Journal of Financial Economics 136, 828–856.
- International Capital Market Association, 2019. European repo market survey. Available at https://www.icmagroup.org/Regulatory-Policy-and-Market-Practice/ repo-and-collateral-markets/icma-ercc-publications/repo-market-surveys/.
- Koijen, R. S., Koulischer, F., Nguyen, B., Yogo, M., 2017. Euro-area quantitative easing and portfolio rebalancing. American Economic Review 107, 621–627.
- Kraenzlin, S., Nellen, T., 2015. Access policy and money market segmentation. Journal of Monetary Economics 71, 1–12.
- Krishnamurthy, A., Nagel, S., Orlov, D., 2014. Sizing up repo. Journal of Finance 69, 2381–2417.
- Leombroni, M., Vedolin, A., Venter, G., Whelan, P., 2020. Central bank communication and the yield curve. Journal of Financial Economics (forthcoming).
- Mancini, L., Ranaldo, A., Wrampelmeyer, J., 2016. The euro interbank repo market. Review of Financial Studies 29, 1747–1779.
- Mishkin, F. S., 1978. Efficient-markets theory: Implications for monetary policy. Brookings Papers on Economic Activity 1978(3), 707–752.
- Nyborg, K. G., 2016. Collateral frameworks: The open secret of central banks. Cambridge University Press.
- Nyborg, K. G., 2019. Reported and the collateral spread puzzle. CEPR Discussion Paper DP13546.
- Piquard, T., Salakhova, D., 2019. Secured and unsecured interbank markets: Monetary policy, substitution and the cost of collateral. Banque de France Working Paper 703.
- Ranaldo, A., Schaffner, P., Tsatsaronis, K., 2019. Euro repo market functioning: Collateral is king. BIS Quarterly Review December 2019, 95–108.

- Ranaldo, A., Schaffner, P., Vasios, M., 2020. Regulatory effects on short-term interest rates. Journal of Financial Economics forthcoming.
- Schlepper, K., Riordan, R., Hofer, H., Schrimpf, A., 2017. Scarcity effects of QE: A transaction-level analysis in the Bund market. Deutsche Bundesbank Discussion Paper 06/2017.
- Williamson, S. D., 2019. Interest on reserves, interbank lending, and monetary policy. Journal of Monetary Economics 101, 14–30.
- Woodford, M., 2002. Financial market efficiency and the effectiveness of monetary policy. Economic Policy Review 8, 85–94.

# Internet appendix

IA.1. Interest rate framework

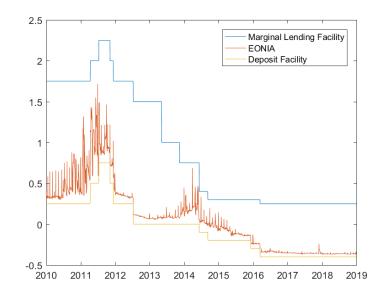


Fig. 1.1. Interest rate corridor

#### IA.2. Trading share of access banks

Since 2015, when repo rates fell below the rate on the deposit facility, general collateral trading volume declined to about a third of its original size. This reduction was mainly driven by banks that had access to the central bank's deposit facility, banks without access to the deposit facility still used the lending side in GC repo transactions to deposit their liquidity. Figure 2.2a depicts the trading share of access banks in general collateral repo transactions collateralized by German government bonds. The share of trading volume by access banks dropped from around 95% in the period prior to QE to around 80% more recently.

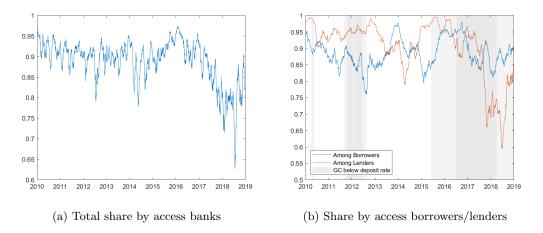


Fig. 2.2. Trading volume shares

In section 2.3 we argue that the GC market is characterized by a kinked demand curve from access banks while the demand from nonaccess banks is inelastic. We thus conclude that the increase in trading volume by nonaccess banks as depicted in Figure 2.2a results from fewer lending activities by access banks. This can be observed in the data, as shown in Figure 2.2b. In this graph we depict the share of access banks among borrowers and among lenders in the GC market. While we observe that the share of access banks among borrowers has been stable over time, we observe that the share of access banks among lenders has dropped in recent years. We thus conclude that the drop in trading by access banks has been caused by a reduction in their lending activity.

## IA.3. Robustness results for ECB access

Results by region, pooled across term types

	(1)	(2)	(3)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	b/t	b/t	b/t
$\Delta PolRate$	$0.539^{***}$ (15.700)	$0.717^{***}$ (10.745)	$0.675^{***}$ (8.781)
$D^{Dep}$	$-0.046^{**}$ (-2.265)		$-0.047^{**}$ (-2.338)
$\Delta PolRate \cdot D^{Dep}$	$-0.176^{**}$ (-2.216)		$0.265^{**}$ (2.082)
$D^{Access}$		-0.001 (-0.071)	
$\Delta PolRate \cdot D^{Access}$		$-0.264^{***}$ (-3.549)	
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.719^{***}$ (-4.970)
$\Delta repo^{GC}$ lagged	$-0.332^{***}$ (-14.230)		
$\frac{N}{R^2}$	$     \begin{array}{r}       10,001 \\       0.210     \end{array} $	$     \begin{array}{r}       10,001 \\       0.213     \end{array} $	$     \begin{array}{r}       10,001 \\       0.220     \end{array} $

Table 3.1. ECB access: Germany

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include German GC repo transactions pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	b/t	b/t	b/t
$\Delta PolRate$	$\begin{array}{c} 0.472^{***} \\ (23.035) \end{array}$	$\begin{array}{c} 0.683^{***} \\ (16.875) \end{array}$	$\begin{array}{c} 0.643^{***} \\ (14.261) \end{array}$
$D^{Dep}$	$-0.032^{***}$ (-2.940)		$-0.032^{***}$ (-2.922)
$\Delta PolRate \cdot D^{Dep}$	-0.048 (-0.897)		$\begin{array}{c} 0.298^{***} \\ (3.968) \end{array}$
$D^{Access}$		-0.005 (-0.819)	
$\Delta PolRate \cdot D^{Access}$		$-0.284^{***}$ (-6.242)	
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.561^{***}$ (-5.885)
$\Delta repo^{GC}$ lagged	$-0.337^{***}$ (-24.685)	$-0.335^{***}$ (-24.388)	
$\frac{N}{R^2}$	$35,082 \\ 0.180$	$35,082 \\ 0.185$	$35,082 \\ 0.187$

Table 3.2. ECB access: Core countries

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC repo transactions for core European countries pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	b/t	b/t	b/t
$\Delta PolRate$	$\begin{array}{c} 0.424^{***} \\ (24.699) \end{array}$	$0.589^{***}$ (16.774)	$0.560^{***}$ (15.106)
$D^{Dep}$	$\begin{array}{c} 0.001 \\ (0.143) \end{array}$		$\begin{array}{c} 0.002\\ (0.221) \end{array}$
$\Delta PolRate \cdot D^{Dep}$	$\begin{array}{c} 0.011 \\ (0.220) \end{array}$		$\begin{array}{c} 0.384^{***} \\ (5.668) \end{array}$
$D^{Access}$		-0.003 (-0.755)	
$\Delta PolRate \cdot D^{Access}$		$-0.223^{***}$ (-5.687)	
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.595^{***}$ (-6.733)
$\Delta repo^{GC}$ lagged	$-0.372^{***}$ (-30.291)	$-0.371^{***}$ (-30.133)	
$rac{N}{R^2}$	$58,183 \\ 0.174$	$58,183 \\ 0.177$	$58,183 \\ 0.178$

Table 3.3. ECB access: All countries

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC repo transactions for all European countries pooled across the term types ON and TN for the time-period 2010–2018.

		Germany			Core			IIA	
	(1) $\Delta revo^{GC}$	(2) $\Delta reno^{GC}$	(3) $\Delta reno^{GC}$	(4) $\Delta reno^{GC}$	(5) $\Delta remo^{GC}$	(6) $\Delta r e o G^{C}$	(7) $\Delta reno^{GC}$	(8) $\Delta remo^{GC}$	(6)
	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t
$\Delta PolRate$	$0.539^{***}$ (15.700)	$0.717^{***}$ (10.745)	$0.675^{***}$ (8.781)	$0.472^{***}$ (23.035)	$0.683^{***}$ (16.875)	$0.643^{***}$ (14.261)	$0.424^{***}$ (24.699)	$0.589^{***}$ (16.774)	$0.560^{***}$ (15.106)
$D^{Dep}$	$-0.046^{**}$ (-2.265)		-0.047** (-2.338)	$-0.032^{***}$ (-2.940)		$-0.032^{***}$ (-2.922)	0.001 (0.143)		0.002 (0.221)
$\Delta PolRate \cdot D^{Dep}$	$-0.176^{**}$ (-2.216)		$0.265^{**}$ (2.082)	-0.048 (-0.897)		$0.298^{***}$ (3.968)	0.011 (0.220)		$0.384^{***}$ (5.668)
$D^{Access}$		-0.001 (-0.071)	-0.000 (-0.035)		-0.005 (-0.819)	-0.004 (-0.743)		-0.003 ( $-0.755$ )	-0.003 $(-0.709)$
$\Delta PolRate \cdot D^{Access}$		$-0.264^{***}$ (-3.549)	$-0.177^{**}$ (-2.100)		$-0.284^{***}$ (-6.242)	$-0.222^{***}$ (-4.423)		$-0.223^{***}$ (-5.687)	$-0.184^{***}$ (-4.438)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.719^{***}$ (-4.970)			$-0.561^{***}$ (-5.885)			$-0.595^{***}$ (-6.733)
$\Delta repo^{GC}$ lagged	$-0.332^{***}$ (-14.230)	$-0.332^{***}$ (-14.147)	$-0.332^{***}$ (-14.151)	$-0.337^{***}$ (-24.685)	$-0.335^{***}$ (-24.388)	$-0.335^{***}$ (-24.410)	$-0.372^{***}$ ( $-30.291$ )	$-0.371^{***}$ (-30.133)	$-0.371^{***}$ (-30.167)
$N R^2$	10,001 0.210	10,001 0.213	10,001 0.220	35,082 0.180	35,082 0.185	35,082 0.187	58,183 0.174	58,183 0.177	58,183 0.178
The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC reportates. The depondent variables is the GC rate $\Delta rapoor^{20} \sim A PolIA car$ denotes the change in the policy rate $D^{20}$ equals 1 if a country's GC rate is below the deposit facility. $D^{Access}$ equals 1 if a lending bank has access to the deposit facility. "*** **, and * represent significance at a 1, 5, and 10% level, respectively: -features are in parenthases. All regressions include basket-month-term fixed effects and hereroskedastic-robust standard errors. Bath indude GC report transactions for Germany, core European countries, and all European countries pooled across the term types ON and TN for the time-nericd 2010–2018.	n results exam dent variable deposit facility <i>t</i> -statistics a ransactions for	ining the imperiod of the change of the chan	the of access to the GC rate als 1 if a lendi ses. All regree re European c	o the ECB's d $\approx \Delta repo^{GC}$ . Ing bank has a sions include ountries, and	eposit facility $\Delta PolRate$ dei ccess to the d basket-month all European	on the pass-th notes the chan eposit facility. -term fixed eff countries pool	irough of the uge in the poli ***, **, and fects and heter led across the	monetary poli cy rate. $D^{Dq}$ * represent sig roskedastic-ro term types O	cy target rat equals 1 if prificance at bust standar N and TN fo

Table 3.4. ECB access: Germany, core countries and all countries

					HIN .	
-	(1)	(2)	(3)	(4)	(5)	(9)
$\Delta r_{c}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta r e p o^{GC}$
NO -		$_{ m b/t}^{ m ON/TN}$	ON/TN b/t	ON/TN b/t	ON/TN b/t	ON/TN b/t
$\Delta PolRate$ 0.4 (23	(23.035)	$0.683^{***}$ (16.875)	$0.643^{***}$ (14.261)	$0.424^{***}$ (24.699)	$0.589^{***}$ (16.774)	$0.560^{***}$ (15.106)
-0-	$-0.032^{***}$ (-2.940)		$-0.032^{***}$ (-2.922)	$\begin{array}{c} 0.001 \\ (0.143) \end{array}$		$0.002 \\ (0.221)$
$\Delta PolRate \cdot D^{Dep} \qquad -($	-0.048 ( $-0.897$ )		$0.298^{***}$ (3.968)	$\begin{array}{c} 0.011 \\ (0.220) \end{array}$		$0.384^{***}$ (5.668)
$D^{Access}$		-0.005 (-0.819)	-0.004 (-0.743)		-0.003 (-0.755)	-0.003 (-0.709)
$\Delta PolRate \cdot D^{Access}$		$-0.284^{***}$ (-6.242)	$-0.222^{***}$ (-4.423)		$-0.223^{***}$ (-5.687)	$-0.184^{***}$ (-4.438)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.561^{***}$ (-5.885)			$-0.595^{***}$ (-6.733)
$\Delta repo^{GC}$ lagged $-0$ .	$-0.337^{***}$ (-24.685)	$-0.335^{***}$ (-24.388)	$-0.335^{***}$ (-24.410)	$-0.372^{***}$ (-30.291)	$-0.371^{***}$ (-30.133)	$-0.371^{***}$ (-30.167)
	35,082 0.180	35,082 0.185	35,082 0.187	58,183 0.174	58,183 0.177	58,183 0.178
	5,082 180	(-24.388) (-24.388) 35,082 0.185	(-24.410) (-24.410) 35,082 0.187	-0.5.0 (-30.5 58,1 0.17	291) 291) 24	

Table 3.5. ECB access: Core countries and all countries

represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basiet-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC reportransactions for core European countries and all European countries pooled across the term types ON and TN for the time-period 2010–2018.

Results by region and term type

$\Delta rem^{GC}$	(1) $eno^{GC}$	(2) $\Delta reno^{GC}$	$\Delta reno^{GC}$	(4) $\Delta reno^{GC}$	(5) $\Delta reno^{GC}$	(6) $\Delta reno^{GC}$	(7) $\Delta reno^{GC}$	(8) $\Delta reno^{GC}$	(9) $\Delta reno^{GC}$
	N/	TN b/t	ON/TN b/t	ON b/t	TN b/t	ON/TN b/t	ON b/t	TN b/t	ON/TN b/t
∆PolRate 0.742*** (10.017)	(2*** 017)	$0.456^{***}$ (11.476)	$0.539^{***}$ (15.700)	$0.646^{***}$ (6.547)	$0.760^{***}$ (8.970)	$0.717^{***}$ (10.745)	$0.601^{***}$ (5.285)	$0.719^{***}$ (7.428)	$0.675^{***}$ (8.781)
$D^{Dep}$ -0.042 (-1.102)	-0.042 -1.102)	$-0.045^{*}$ (-1.890)	$-0.046^{**}$ (-2.265)				-0.043 (-1.136)	$-0.047^{**}$ (-1.986)	$-0.047^{**}$ (-2.338)
$\Delta PolRate \cdot D^{Dep} = -0.130  (-0.891)$	-0.130 -0.891)	$-0.210^{**}$ (-2.229)	$-0.176^{**}$ (-2.216)				$0.238 \\ (1.477)$	0.287 (1.614)	$0.265^{**}$ (2.082)
$D^{Access}$				-0.003 (-0.142)	0.001 (0.067)	-0.001 (-0.071)	-0.001 (-0.080)	0.001 (0.074)	-0.000 (-0.035)
$\Delta PolRate\cdot D^{Access}$				0.114 (0.912)	$-0.424^{***}$ (-4.685)	$-0.264^{***}$ (-3.549)	$0.194 \\ (1.387)$	$-0.337^{***}$ (-3.274)	$-0.177^{***}$ (-2.100)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$							$-0.625^{**}$ (-2.461)	$-0.760^{***}$ (-4.037)	$-0.719^{***}$ (-4.970)
Δ <i>repo<sup>GC</sup></i> lagged -0.311*** (-7.411)	$-0.311^{***}$ (-7.411)	$-0.326^{***}$ (-11.237)	$-0.332^{***}$ (-14.230)	$-0.311^{***}$ (-7.531)	$-0.321^{***}$ (-10.978)	$-0.332^{***}$ (-14.147)	$-0.313^{***}$ (-7.491)	$-0.321^{***}$ (-11.027)	$-0.332^{***}$ (-14.151)
N 2,828 $R^2$ 0.332	2,828 0.332	$7,173 \\ 0.161$	10,001 0.210	2,828 0.332	$7,173 \\ 0.172$	10,001 0.213	2,828 0.336	$7,173 \\ 0.179$	10,001 0.220

Table 3.6. ECB access: Germany

Table 3.7. ECB access: Core countries

	$\begin{array}{c} (1) \\ \Delta repo^{GC} \\ ON \\ b/t \end{array}$	(2) $\Delta repo^{GC}$ TN b/t	$\begin{array}{c} (3) \\ \Delta repo^{GC} \\ \mathrm{ON}/\mathrm{TN} \\ \mathrm{b/t} \end{array}$	(4) $\Delta repo^{GC}$ ON b/t	(5) $\Delta repo^{GC}$ TN b/t	(6) $\Delta repo^{GC}$ ON/TN b/t	$\begin{array}{c} (7) \\ \Delta repo^{GC} \\ 0N \\ b/t \end{array}$	$\begin{array}{c} (8) \\ \Delta repo^{GC} \\ TN \\ b/t \end{array}$	(9) $\Delta repo^{GC}$ DN/TN b/t
$\Delta PolRate$	$0.679^{***}$ (15.740)	$0.376^{***}$ (16.033)	$0.472^{***}$ (23.035)	$0.810^{***}$ (13.089)	$0.624^{***}$ (11.957)	$0.683^{***}$ (16.875)	$0.801^{***}$ (10.747)	$0.576^{***}$ (10.245)	$0.643^{***}$ (14.261)
$D^{Dep}$	-0.020 (-1.132)	$-0.037^{***}$ (-2.682)	$-0.032^{***}$ (-2.940)				-0.017 (-1.014)	$-0.038^{***}$ (-2.794)	$-0.032^{***}$ (-2.922)
$\Delta PolRate \cdot D^{Dep}$	$-0.219^{***}$ (-2.637)	0.030 (0.438)	-0.048 (-0.897)				0.045 (0.472)	$0.450^{***}$ (4.129)	$0.298^{***}$ (3.968)
$D^{Access}$				-0.002 (-0.231)	-0.006 (-0.801)	-0.005 (-0.819)	-0.002 ( $-0.226$ )	-0.005 (-0.685)	-0.004 ( $-0.743$ )
$\Delta PolRate \cdot D^{Access}$				$-0.201^{***}$ (-2.692)	$-0.324^{***}$ (-5.644)	$-0.284^{***}$ (-6.242)	-0.155* ( $-1.782$ )	$-0.263^{***}$ (-4.261)	$-0.222^{***}$ (-4.423)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$							-0.528*** (-3.986)	$-0.604^{***}$ (-4.584)	$-0.561^{***}$ (-5.885)
$\Delta repo^{GC}$ lagged	$-0.302^{***}$ (-15.168)	$-0.345^{***}$ (-18.622)	$-0.337^{***}$ (-24.685)	$-0.303^{***}$ (-15.259)	$-0.340^{***}$ (-18.181)	$-0.335^{***}$ (-24.388)	$-0.303^{***}$ (-15.180)	$-0.341^{***}$ (-18.237)	$-0.335^{***}$ (-24.410)
$N R^2$	$12,219 \\ 0.253$	$22,863 \\ 0.143$	35,082 0.180	$12,219 \\ 0.254$	22,863 0.150	35,082 0.185	$12,219 \\ 0.257$	22,863 0.153	35,082 0.187
The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC reports. The dependent variable is the change in the GC rate $\Delta repo^{GC}$ . $\Delta Pol/Rate$ denotes the change in the policy rate. $D^{Dap}$ equals 1 if a country's for rate is both the dependent variable is the change in the GC rate $\Delta repo^{GC}$ . $\Delta Pol/Rate$ denotes the change in the policy rate. $D^{Dap}$ equals 1 if a country's for rate is posteriated in the GC rate $\Delta repo^{GC}$ . $\Delta Pol/Rate$ denotes the change in the policy rate. $D^{Dap}$ equals 1 if a country's for rate is both the deposit facility. $D^{Dam}$ equals 1 if a leading bank has access to the deposit facility. ***, ** and * represent significance at a 1. 5, and 10% level, respectively, t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC report transactions for core European countries separate for each and poded across the term types ON and TN for the time-period 2010-2018.	t results exam dent variable leposit facility <i>t</i> -statistics a ansactions for	ining the impa is the change . D <sup>Access</sup> equi- re in parenthe core Europea	in the GC rat in the GC rat als 1 if a lendii ses. All regree m countries se	the ECB's d e $\Delta repo^{GC}$ . , ag bank has a sions include iparate for eac	sposit facility $\Delta PolRate$ der ccess to the de basket-month th and pooled	on the pass-th totes the chan sposit facility. term fixed eff across the ter	rough of the 1 ge in the poli ***, **, and <sup>2</sup> ects and heter in types ON <i>e</i>	nonetary poli- cy rate. $D^{Dep}$ * represent sig oskedastic-rol ud TN for th	cy target rate equals 1 if a nificance at a oust standard e time-period

Table 3.8. ECB access: All countries

	$\begin{array}{c} (1) \\ \Delta repo^{GC} \\ ON \\ b/t \end{array}$	$\begin{array}{c} (2) \\ \Delta repo^{GC} \\ TN \\ b/t \end{array}$	$\begin{array}{c} (3) \\ \Delta repo^{GC} \\ \mathrm{ON}/\mathrm{TN} \\ \mathrm{b/t} \end{array}$	(4) $\Delta repo^{GC}$ ON b/t	(5) $\Delta r e p o^{GC}$ TN b/t	(6) $\Delta r e p o^{GC}$ ON/TN b/t	$\begin{array}{c} (7) \\ \Delta repo^{GC} \\ ON \\ b/t \end{array}$	$\begin{array}{c} (8) \\ \Delta repo^{GC} \\ TN \\ b/t \end{array}$	(9) $\Delta repo^{GC}$ DN/TN
$\Delta PolRate$	$0.660^{***}$ (19.491)	$0.304^{***}$ (15.542)	$0.424^{***}$ (24.699)	$0.708^{***}$ (10.666)	$0.520^{***}$ (12.869)	$0.589^{***}$ (16.774)	$0.694^{***}$ (9.670)	$0.484^{***}$ (11.494)	$0.560^{***}$ (15.106)
$D^{Dep}$	$0.033^{***}$ (2.675)	$-0.020^{*}$ (-1.775)	0.001 (0.143)				$0.034^{***}$ (2.774)	$-0.020^{*}$ (-1.775)	0.002 (0.221)
$\Delta PolRate \cdot D^{Dep}$	$-0.200^{**}$ (-2.562)	$0.122^{*}$ (1.882)	0.011 (0.220)				$0.169^{*}$ (1.808)	$0.525^{***}$ (5.546)	$0.384^{***}$ (5.668)
$D^{Access}$				-0.002 (-0.302)	-0.004 (-0.726)	-0.003 (-0.755)	-0.002 ( $-0.273$ )	-0.004 ( $-0.674$ )	-0.003 $(-0.709)$
$\Delta PolRate \cdot D^{Access}$				-0.085 (-1.152)	$-0.279^{***}$ (-6.199)	-0.223*** (-5.687)	-0.047 (-0.594)	$-0.240^{***}$ (-5.104)	$-0.184^{***}$ (-4.438)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$							$-0.657^{***}$ ( $-5.109$ )	$-0.595^{***}$ ( $-5.022$ )	$-0.595^{***}$ (-6.733)
$\Delta repo^{GC}$ lagged	$-0.324^{***}$ (-15.436)	$-0.382^{***}$ (-25.063)	$-0.372^{***}$ ( $-30.291$ )	$-0.324^{***}$ (-15.482)	$-0.381^{***}$ (-24.915)	$-0.371^{***}$ ( $-30.133$ )	$-0.324^{***}$ (-15.452)	$-0.381^{***}$ (-24.929)	$-0.371^{***}$ (-30.167)
$N R^2$	21,894 0.248	36,289 0.140	58,183 0.174	$21,894 \\ 0.248$	36,289 0.145	58,183 0.177	21,894 0.250	36,289 0.147	58,183 0.178
The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC reports. The dependent variable is the change in the GC rate $\Delta repo^{GC}$ . $\Delta PolRate$ denotes the change in the policy rate. $D^{Dar}$ equals 1 if a country's for the of the monetary policy rate in the GC rate $\Delta repo^{GC}$ . $\Delta PolRate$ denotes the change in the policy rate. $D^{Dar}$ equals 1 if a country's for the dependent variable is the change in the GC rate $\Delta repo^{GC}$ . $\Delta PolRate$ denotes the change in the policy rate. $D^{Dar}$ access to a 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC report transactions for all European countries separate for each and pooled across the term types ON and TN for the time-period 2010–2018.	n results exam dent variable deposit facility ; <i>t</i> -statistics a ransactions fo	ining the impe is the change : D <sup>Access</sup> equi- re in parenthe r all Europear	ict of access to in the GC rat als 1 if a lendii ses. All regree t countries ser	the ECB's d e $\Delta repo^{GC}$ . , ng bank has a sions include parate for eacl	sposit facility $\Delta PolRate$ der ccess to the de basket-month 1 and pooled	on the pass-th totes the chan sposit facility. term fixed eff across the ter	rough of the l ge in the poli ***, **, and <sup>1</sup> ects and heter m types ON a	monetary poli cy rate. $D^{Der}$ * represent sig oskedastic-rol ud TN for th	cy target rate equals 1 if a nificance at a oust standard e time-period

	(1)	(2)	(3)	(4)	(5)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	${ m ON/TN} { m b/t}$	${ m ON/TN} { m b/t}$	${ m ON/TN} { m b/t}$	${ m ON/TN}\ { m b/t}$	${ m ON/TN} { m b/t}$
$\Delta PolRate$	$0.675^{***}$ (8.781)	$\begin{array}{c} 0.684^{***} \\ (9.301) \end{array}$	$\begin{array}{c} 0.712^{***} \\ (9.197) \end{array}$	$\begin{array}{c} 0.725^{***} \\ (8.733) \end{array}$	$0.725^{***}$ (8.709)
$D^{Dep}$	$-0.047^{**}$ (-2.338)	$-0.047^{**}$ (-2.274)	$-0.027^{**}$ (-2.068)	$-0.032^{***}$ (-3.605)	$-0.021^{*}$ (-1.795)
$\Delta PolRate \cdot D^{Dep}$	$0.265^{**}$ (2.082)	$0.269^{**}$ (2.350)	$0.279^{**}$ (2.225)	$\begin{array}{c} 0.313^{**} \\ (2.358) \end{array}$	$0.293^{**}$ (2.228)
$D^{Access}$	$-0.000 \ (-0.035)$	-0.002 (-0.147)	$\begin{array}{c} 0.003\\ (0.265) \end{array}$	$\begin{array}{c} 0.002\\ (0.155) \end{array}$	$\begin{array}{c} 0.003 \\ (0.339) \end{array}$
$\Delta PolRate \cdot D^{Access}$	$-0.177^{**}$ (-2.100)	$-0.149^{*}$ (-1.766)	-0.130 (-1.456)	-0.138 (-1.461)	$-0.139 \\ (-1.468)$
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.719^{***}$ (-4.970)	$-0.686^{***}$ (-4.821)	$-0.665^{***}$ (-4.400)		
$\Delta repo^{GC}$ lagged	$-0.332^{***}$ (-14.151)	$-0.321^{***}$ (-14.032)	$-0.307^{***}$ (-12.483)		$-0.299^{***}$ (-12.072)
FE	Basket× Month× Term	Basket× Month	Basket× Year	Basket	Year
$\frac{N}{R^2}$	$10,001 \\ 0.220$	$10,098 \\ 0.239$	$10,165 \\ 0.227$	$10,168 \\ 0.220$	$10,168 \\ 0.223$

Table 3.9. ECB access: Germany, different fixed effect specifications

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. The regressions include different fixed effect specifications and heteroskedastic-robust standard errors. Data include German GC repo transactions pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN} m_{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$
$\Delta PolRate$	$\begin{array}{c} 0.643^{***} \\ (14.261) \end{array}$	$\begin{array}{c} 0.672^{***} \\ (15.044) \end{array}$	$0.709^{***}$ (15.028)	$0.716^{***}$ (14.735)	$\begin{array}{c} 0.715^{***} \\ (14.721) \end{array}$
$D^{Dep}$	$-0.032^{***}$ (-2.922)	$-0.027^{**}$ (-2.434)	$-0.019^{***}$ (-2.594)	$-0.018^{***}$ (-4.059)	$-0.015^{**}$ (-2.243)
$\Delta PolRate \cdot D^{Dep}$	$\begin{array}{c} 0.298^{***} \\ (3.968) \end{array}$	$\begin{array}{c} 0.293^{***} \\ (4.140) \end{array}$	$\begin{array}{c} 0.298^{***} \\ (3.908) \end{array}$	$\begin{array}{c} 0.326^{***} \\ (4.127) \end{array}$	$\begin{array}{c} 0.310^{***} \\ (3.966) \end{array}$
$D^{Access}$	-0.004 (-0.743)	-0.004 (-0.662)	$-0.002 \\ (-0.331)$	-0.003 (-0.487)	-0.001 (-0.156)
$\Delta PolRate \cdot D^{Access}$	$-0.222^{***}$ (-4.423)	$-0.230^{***}$ (-4.565)	$-0.227^{***}$ (-4.262)		
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.561^{***}$ (-5.885)		$-0.482^{***}$ (-5.029)		
$\Delta repo^{GC}$ lagged	$-0.335^{***}$ (-24.410)		$-0.310^{***}$ (-22.599)		$-0.304^{***}$ (-22.134)
FE	Basket× Month× Term	Basket× Month	Basket× Year	Basket	Year
$\frac{N}{R^2}$	$35,082 \\ 0.187$	$35,376 \\ 0.199$	$35,624 \\ 0.192$	$35,631 \\ 0.188$	$35,631 \\ 0.190$

Table 3.10. ECB access: Core countries, different fixed effect specifications

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility.  $T_{Access}$  equals 1 if a lending bank has access to the deposit facility. The regression include different fixed effect specifications and heteroskedastic robust standard errors. Data include GC repo transactions for core European countries pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	ON/TN b/t	${ m ON/TN} { m b/t}$	ON/TN b/t	ON/TN b/t	${ m ON/TN} { m b/t}$
$\Delta PolRate$	$0.560^{***}$ (15.106)	$0.583^{***}$ (15.963)	$0.616^{***}$ (16.619)	$\begin{array}{c} 0.622^{***} \\ (16.527) \end{array}$	$0.621^{***}$ (16.500)
$D^{Dep}$	$0.002 \\ (0.221)$	$0.005 \\ (0.553)$	$-0.002 \\ (-0.311)$	$-0.011^{***}$ (-2.815)	$-0.002 \\ (-0.530)$
$\Delta PolRate \cdot D^{Dep}$	$\begin{array}{c} 0.384^{***} \\ (5.668) \end{array}$	$\begin{array}{c} 0.383^{***} \\ (5.995) \end{array}$	$\begin{array}{c} 0.397^{***} \\ (5.843) \end{array}$	$\begin{array}{c} 0.429^{***} \\ (6.082) \end{array}$	$\begin{array}{c} 0.417^{***} \\ (5.976) \end{array}$
$D^{Access}$	$-0.003 \\ (-0.709)$	-0.004 (-0.816)	-0.003 (-0.746)	-0.004 (-1.009)	-0.003 (-0.904)
$\Delta PolRate \cdot D^{Access}$	$-0.184^{***}$ (-4.438)	$-0.188^{***}$ (-4.586)	$-0.190^{***}$ (-4.537)		$-0.180^{***}$ (-4.217)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.595^{***}$ (-6.733)		$-0.495^{***}$ (-5.567)		$-0.444^{***}$ (-4.817)
$\Delta repo^{GC}$ lagged	$-0.371^{***}$ (-30.167)		$-0.347^{***}$ (-28.923)		$-0.342^{***}$ (-28.577)
FE	Basket× Month× Term	$\begin{array}{l} \text{Basket} \times \\ \text{Month} \end{array}$	Basket× Year	Basket	Year
$\frac{N}{R^2}$	$58,183 \\ 0.178$	$58,626 \\ 0.191$	$58,983 \\ 0.188$	$58,996 \\ 0.186$	58,997 0.188

Table 3.11. ECB access: All countries, different fixed effect specifications

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility.  $T_{Access}$  equals 1 if a lending bank has access to the deposit facility. The table represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. The regressions include different fixed effect specifications and heteroskedastic-robust standard errors. Data include GC repo transactions for all European countries pooled across the term types ON and TN for the time-period 2010–2018.

### Results for clustered standard errors

	(1)	(0)	(2)
	(1) $\Lambda_{mono}GC$	(2) $\Lambda_{mono}GC$	(3) $\Delta momo GC$
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	b/t	b/t	b/t
$\Delta PolRate$	$0.539^{*}$	0.717*	$0.675^{*}$
	(7.367)	(10.556)	(9.705)
$D^{Dep}$	-0.046		-0.047
	(-4.366)		(-4.723)
$\Delta PolRate \cdot D^{Dep}$	-0.176		0.265
	(-0.631)		(3.538)
$D^{Access}$		-0.001	-0.000
		(-0.126)	(-0.060)
$\Delta PolRate \cdot D^{Access}$		$-0.264^{**}$	
		(-15.995)	(-12.534)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.719^{*}$
			(-11.802)
$\Delta repo^{GC}$ lagged	$-0.332^{**}$		
	(-34.857)	(-55.699)	(-31.902)
27	10.001	10.001	10.001
$N R^2$	$10,001 \\ 0.210$	$10,001 \\ 0.213$	$10,001 \\ 0.220$
	0.210	0.210	0

Table 3.12. ECB access: Germany

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates using clustered standard errors. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and standard errors accounting for clustering at the basket and access level. Data include German GC repo transactions pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	b/t	b/t	b/t
$\Delta PolRate$	$0.472^{*}$ (6.571)	$0.683^{**}$ (16.968)	$0.643^{**}$ (17.549)
$D^{Dep}$	-0.032 (-3.318)		-0.032 (-2.634)
$\Delta PolRate \cdot D^{Dep}$	-0.048 (-0.209)		$0.298^{*}$ (7.263)
$D^{Access}$		-0.005 (-2.577)	
$\Delta PolRate \cdot D^{Access}$		$-0.284^{***}$ (-74.521)	
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.561^{**}$ (-28.590)
$\Delta repo^{GC}$ lagged		$-0.335^{**}$ (-52.065)	
$\frac{N}{R^2}$	$35,082 \\ 0.180$	$35,082 \\ 0.185$	$35,082 \\ 0.187$

Table 3.13. ECB access: Core countries

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates using clustered standard errors. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and standard errors accounting for clustering at the basket and access level. Data include GC repo transactions for core European countries pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{GC}$	(2) $\Delta repo^{GC}$	$\Delta repo^{GC}$
	b/t	b/t	b/t
$\Delta PolRate$	$0.424^{*}$ (6.626)	$0.589^{**}$ (18.599)	$0.560^{**}$ (18.663)
$D^{Dep}$	$0.001 \\ (0.079)$		$0.002 \\ (0.107)$
$\Delta PolRate \cdot D^{Dep}$	0.011 (0.047)		$\begin{array}{c} 0.384 \\ (6.133) \end{array}$
$D^{Access}$		-0.003 (-2.754)	
$\Delta PolRate \cdot D^{Access}$		-0.223 (-6.139)	
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$			$-0.595^{**}$ (-17.311)
$\Delta repo^{GC}$ lagged		$-0.371^{**}$ (-21.317)	
$\frac{N}{R^2}$	$58,183 \\ 0.174$	$58,183 \\ 0.177$	$58,183 \\ 0.178$

Table 3.14. ECB access: All countries

The table reports the regression results examining the impact of access to the ECB's deposit facility on the pass-through of the monetary policy target rate into GC repo rates using clustered standard errors. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and standard errors accounting for clustering at the basket and access level. Data include GC repo transactions for all European countries pooled across the term types ON and TN for the time-period 2010–2018.

	(1) EONIA	(2) €STR	(3) euro LIBOR	(4) zero OIS	(5) zero EURIBOR	(6) OIS 1W
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	${ m ON/TN} m _{b/t}$	${ m ON/TN} m _{b/t}$	${ m ON/TN}$ b/t	${ m ON/TN} m _{b/t}$	ON/TN b/t	ON/TN b/t
$\Delta PolRate$	$0.675^{***}$ (8.781)	$0.705^{***}$ (9.274)	$0.480^{***}$ (9.220)	$\begin{array}{c} 0.334^{***} \\ (6.013) \end{array}$	$0.179^{***}$ (5.055)	$\begin{array}{c} 0.329^{***} \\ (4.349) \end{array}$
$D^{Dep}$	$-0.047^{**}$ (-2.338)	$-0.026^{**}$ (-2.059)	$-0.051^{**}$ (-2.520)	-0.021 (-1.564)	$-0.029^{**}$ (-2.061)	$-0.029^{**}$ (-2.249)
$\Delta PolRate \cdot D^{Dep}$	$0.265^{**}$ (2.082)	$0.253^{**}$ (2.086)	$\begin{array}{c} 0.356^{***} \\ (4.003) \end{array}$	$0.268^{**}$ (2.571)	$0.179^{**}$ (2.196)	$\begin{array}{c} 0.363^{***} \\ (3.249) \end{array}$
$D^{Access}$	$-0.000 \ (-0.035)$	$\begin{array}{c} 0.002\\ (0.183) \end{array}$	$\begin{array}{c} 0.004 \\ (0.339) \end{array}$	$\begin{array}{c} 0.001 \\ (0.120) \end{array}$	-0.004 (-0.361)	$\begin{array}{c} 0.001 \\ (0.090) \end{array}$
$\Delta PolRate \cdot D^{Access}$	$-0.177^{**}$ (-2.100)	-0.128 (-1.474)	$-0.117^{*}$ (-1.743)	$-0.165^{***}$ (-2.702)	$-0.072^{*}$ (-1.887)	$-0.046 \\ (-0.516)$
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.719^{***}$ (-4.970)	$-0.648^{***}$ (-4.425)	$-0.670^{***}$ (-5.607)	$-0.378^{***}$ (-3.377)	$-0.264^{***}$ (-3.058)	$-0.258^{*}$ (-1.740)
$\Delta repo^{GC}$ lagged	$-0.332^{***}$ (-14.151)	$-0.311^{***}$ (-12.972)	$-0.420^{***}$ (-15.125)	$-0.323^{***}$ (-12.711)	$-0.311^{***}$ (-12.876)	$-0.324^{***}$ (-12.113)
$\frac{N}{R^2}$	$     \begin{array}{r}       10,001 \\       0.220     \end{array} $	$10,158 \\ 0.231$	9,952 0.187	9,778 0.124	9,758 0.114	$10,078 \\ 0.144$

Table 3.15. ECB access: Germany

The table reports the robustness results examining the impact of access to the ECB's deposit facility on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include German GC repo transactions pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS 1W
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	${ m ON/TN} { m b/t}$	ON/TN b/t	ON/TN b/t	${ m ON/TN} { m b/t}$	ON/TN b/t	ON/TN b/t
$\Delta PolRate$	$\begin{array}{c} 0.643^{***} \\ (14.261) \end{array}$	$0.704^{***}$ (15.067)	$0.440^{***}$ (8.908)	$\begin{array}{c} 0.312^{***} \\ (9.306) \end{array}$	$0.135^{***}$ (7.426)	$\begin{array}{c} 0.348^{***} \\ (6.378) \end{array}$
$D^{Dep}$	$-0.032^{***}$ (-2.922)	$-0.018^{**}$ (-2.488)	$-0.030^{***}$ (-2.770)	$-0.020^{**}$ (-2.575)	$-0.025^{***}$ (-3.260)	$-0.022^{***}$ (-2.961)
$\Delta PolRate \cdot D^{Dep}$	$0.298^{***}$ (3.968)	$0.299^{***}$ (3.943)	$\begin{array}{c} 0.375^{***} \\ (5.581) \end{array}$	$0.210^{***}$ (3.317)	$\begin{array}{c} 0.198^{***} \\ (4.152) \end{array}$	$\begin{array}{c} 0.319^{***} \\ (4.315) \end{array}$
$D^{Access}$	-0.004 (-0.743)	-0.001 (-0.192)	-0.005 (-0.785)	-0.001 (-0.231)	-0.006 (-1.033)	$-0.004 \\ (-0.619)$
$\Delta PolRate \cdot D^{Access}$	$-0.222^{***}$ (-4.423)	$-0.226^{***}$ (-4.310)	$-0.122^{**}$ (-2.094)	$-0.186^{***}$ (-5.242)	$-0.059^{***}$ (-2.947)	$-0.117^{**}$ (-2.006)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.561^{***}$ (-5.885)	$-0.497^{***}$ (-5.259)	$-0.417^{***}$ (-4.766)	$-0.240^{***}$ (-3.612)	$-0.231^{***}$ (-4.533)	$-0.233^{***}$ (-2.711)
$\Delta repo^{GC}$ lagged	$-0.335^{***}$ (-24.410)	$-0.313^{***}$ (-22.963)	$-0.401^{***}$ (-26.606)	$-0.318^{***}$ (-22.834)	$-0.305^{***}$ (-22.875)	$-0.318^{***}$ (-22.775)
$\frac{N}{R^2}$	$35,082 \\ 0.187$	$35,607 \\ 0.195$	$34,949 \\ 0.168$	$34,606 \\ 0.118$	$34,519 \\ 0.106$	$35,295 \\ 0.135$

Table 3.16. ECB access: Core countries

The table reports the robustness results examining the impact of access to the ECB's deposit facility on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC repo transactions for core European countries pooled across the term types ON and TN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS 1W
	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$	$\Delta repo^{GC}$
	${ m ON/TN} { m b/t}$	${ m ON/TN} { m b/t}$	ON/TN b/t	${ m ON/TN} { m b/t}$	ON/TN b/t	ON/TN b/t
$\Delta PolRate$	$0.560^{***}$ (15.106)	$0.612^{***}$ (16.587)	$0.379^{***}$ (10.586)	$0.250^{***}$ (10.923)	$0.127^{***}$ (10.831)	$0.262^{***}$ (6.977)
$D^{Dep}$	$0.002 \\ (0.221)$	-0.002 (-0.354)	$\begin{array}{c} 0.003 \\ (0.340) \end{array}$	-0.003 (-0.468)	-0.007 (-1.055)	-0.005 (-0.804)
$\Delta PolRate \cdot D^{Dep}$	$\begin{array}{c} 0.384^{***} \\ (5.668) \end{array}$	$0.400^{***}$ (5.872)	$\begin{array}{c} 0.396^{***} \\ (6.898) \end{array}$	$0.289^{***}$ (5.154)	$\begin{array}{c} 0.210^{***} \\ (5.112) \end{array}$	$\begin{array}{c} 0.417^{***} \\ (6.987) \end{array}$
$D^{Access}$	$-0.003 \\ (-0.709)$	$-0.002 \\ (-0.509)$	$-0.003 \\ (-0.641)$	$-0.002 \\ (-0.447)$	-0.004 (-0.961)	$-0.002 \ (-0.535)$
$\Delta PolRate \cdot D^{Access}$	$-0.184^{***}$ (-4.438)	$-0.193^{***}$ (-4.635)	$-0.112^{***}$ (-2.677)	$-0.142^{***}$ (-5.732)	$-0.052^{***}$ (-4.004)	$-0.102^{**}$ (-2.462)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.595^{***}$ (-6.733)	$-0.500^{***}$ (-5.763)	$-0.362^{***}$ (-4.753)	$-0.283^{***}$ (-4.711)	$-0.231^{***}$ (-5.198)	$-0.200^{***}$ (-2.713)
$\Delta repo^{GC}$ lagged	$-0.371^{***}$ (-30.167)	$-0.350^{***}$ (-29.208)	$-0.416^{***}$ (-30.883)	$-0.354^{***}$ (-28.331)	$-0.346^{***}$ (-27.758)	$-0.345^{***}$ (-28.558)
$\frac{N}{R^2}$	$58,183 \\ 0.178$	$58,961 \\ 0.189$	$57,864 \\ 0.160$	$57,214 \\ 0.133$	57,026 0.128	$58,447 \\ 0.139$

Table 3.17. ECB access: All countries

The table reports the robustness results examining the impact of access to the ECB's deposit facility on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the GC rate  $\Delta repo^{GC}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include basket-month-term fixed effects and heteroskedastic-robust standard errors. Data include GC repo transactions for all European countries pooled across the term types ON and TN for the time-period 2010–2018.

# IA.4. Robustness results for asset eligibility

Results by region, pooled across term types

	(1)	(2)	(3)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	b/t	b/t	b/t
$\Delta PolRate$	0.106***	0.098***	0.109***
	(19.644)	(12.937)	(13.130)
$D^{QE}$	-0.016		-0.016
	(-1.462)		(-1.434)
$\Delta PolRate \cdot D^{QE}$	$-0.150^{***}$		$-0.120^{***}$
	(-15.837)		(-8.154)
$D^{Eligible}$		0.004	0.004
		(0.454)	(0.440)
$\Delta PolRate \cdot D^{Eligible}$		0.006	-0.005
		(0.537)	(-0.463)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.172^{***}$	$-0.052^{***}$
		(-14.035)	(-2.737)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$	$-0.364^{***}$	$-0.364^{***}$
	(-20.719)	(-20.716)	(-20.719)
Ν	301,608	301,608	301,608
$R^2$	0.119	0.119	0.119

### Table 4.1. Collateral eligibility: Germany

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include German special repo transactions pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	b/t	b/t	b/t
$\Delta PolRate$	0.105***	0.095***	0.103***
	(31.179)	(17.681)	(17.810)
$D^{QE}$	-0.008		-0.008
	(-1.187)		(-1.158)
$\Delta PolRate \cdot D^{QE}$	$-0.126^{***}$		$-0.104^{***}$
	(-19.814)		(-9.643)
$D^{Eligible}$		0.005	0.005
		(0.972)	(0.969)
$\Delta PolRate \cdot D^{Eligible}$		0.011	0.002
		(1.592)	(0.295)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.137^{***}$	$-0.033^{**}$
		(-17.552)	(-2.453)
$\Delta repo^{Special}$ lagged	$-0.357^{***}$	$-0.357^{***}$	$-0.357^{***}$
	(-39.267)	(-39.259)	(-39.264)
Ν	705,633	705,633	705,633
$R^2$	0.115	0.115	0.115

Table 4.2. Collateral eligibility: Core countries

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include special repo transactions for core European countries pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	b/t	b/t	b/t
$\Delta PolRate$	0.099***	0.094***	0.101***
	(30.205)	(18.394)	(18.358)
$D^{QE}$	$-0.017^{*}$		$-0.016^{*}$
	(-1.752)		(-1.740)
$\Delta PolRate \cdot D^{QE}$	$-0.108^{***}$		$-0.089^{***}$
	(-17.339)		(-8.198)
$D^{Eligible}$		0.004	0.004
		(0.669)	(0.649)
$\Delta PolRate \cdot D^{Eligible}$		0.004	-0.004
		(0.562)	(-0.565)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.117^{***}$	$-0.028^{**}$
		(-15.319)	(-2.119)
$\Delta repo^{Special}$ lagged	$-0.362^{***}$	$-0.362^{***}$	$-0.362^{***}$
	(-51.918)	(-51.911)	(-51.915)
N	943,349	943,349	943,349
$R^2$	0.118	0.118	0.118

Table 4.3. Collateral eligibility: All countries

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include special repo transactions for all European countries pooled across the term types TN and SN for the time-period 2010–2018.

(6)	$\Delta repo^{Special}$	TN/SN
(8)	$\Delta repo^{Special}$	TN/SN
(2)	$\Delta repo^{Special}$	TN/SN
(9)	$\Delta repo^{Special}$	TN/SN
(5)	$\Delta repo^{Special}$	TN/SN
(4)	$\Delta repo^{Special}$	TN/SN
(3)	$\Delta repo^{Special}$	TN/SN
(2)	$\Delta repo^{Special}$	TN/SN
(1)	$\Delta repo^{Special}$	NS/NL
	(3) (4) (5) (6) (7) (8) (	$\begin{array}{cccccccccccccccccccccccccccccccccccc$

Table 4.4. Collateral eligibility: Germany, core countries and all countries

		Germany			Core			All	
	$\begin{array}{c} (1) \\ \Delta repo^{Special} \\ \mathrm{TN/SN} \\ \mathrm{b/t} \end{array}$	(2) $\Delta repo^{Special}$ TN/SN b/t	$\begin{array}{c} (3) \\ \Delta repo^{Special} \\ \mathrm{TN/SN} \\ \mathrm{b/t} \end{array}$	(4) $\Delta repo^{Special}$ TN/SN b/t	(5) $\Delta repo^{Special}$ TN/SN b/t	(6) $\Delta repo^{Special}$ TN/SN b/t	$\begin{array}{c} (7) \\ \Delta repo^{Special} \\ \mathrm{TN/SN} \\ \mathrm{b/t} \end{array}$	<ul> <li>(8)</li> <li>Δrepo<sup>Special</sup></li> <li>TN/SN</li> <li>b/t</li> </ul>	(9) $\Delta repo^{Special}$ TN/SN b/t
$\Delta PolRate$	$0.106^{***}$ (19.644)	$0.098^{***}$ (12.937)	$0.109^{***}$ (13.130)	$0.105^{***}$ (31.179)	$0.095^{***}$ (17.681)	$0.103^{***}$ (17.810)	$0.099^{***}$ (30.205)	$0.094^{***}$ (18.394)	$0.101^{***}$ (18.358)
$D^{QE}$	-0.016 (-1.462)		-0.016 (-1.434)	-0.008 (-1.187)		-0.008 (-1.158)	$-0.017^{*}$ (-1.752)		$-0.016^{*}$ (-1.740)
$\Delta PolRate \cdot D^{QE}$	$-0.150^{***}$ (-15.837)		$-0.120^{***}$ (-8.154)	$-0.126^{***}$ (-19.814)		$-0.104^{***}$ (-9.643)	$-0.108^{***}$ (-17.339)		$-0.089^{***}$ (-8.198)
$D^{Eligible}$		0.004 (0.454)	0.004 (0.440)		0.005 (0.972)	0.005 (0.969)		0.004 (0.669)	0.004 (0.649)
$\Delta PolRate \cdot D^{Eligible}$		0.006 (0.537)	-0.005 (-0.463)		0.011 (1.592)	0.002 (0.295)		0.004 (0.562)	-0.004 ( $-0.565$ )
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.172^{***}$ (-14.035)	$-0.052^{***}$ (-2.737)		$-0.137^{***}$ (-17.552)	$-0.033^{**}$ (-2.453)		$-0.117^{***}$ (-15.319)	$-0.028^{**}$ (-2.119)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.719)	$-0.364^{***}$ (-20.716)	$-0.364^{***}$ (-20.719)	-0.357*** ( $-39.267$ )	-0.357	-0.357	$-0.362^{***}$ (-51.918)	$-0.362^{***}$ (-51.911)	$-0.362^{***}$ (-51.915)
$N R^2$	301,608 0.119	301,608 0.119	$301,608 \\ 0.119$	705,633 0.115	705,633 0.115	705,633 0.115	943,349 0.118	$943,349 \\ 0.118$	$943,349 \\ 0.118$

IA-24

		Core			IIA	
	(1) $\Delta repo^{Special}$	(2) $\Delta repo^{Special}$	$(3)$ $\Delta repo^{Special}$	(4) $\Delta repo^{Special}$	(5) $\Delta repo^{Special}$	(6) $\Delta repo^{Special}$
	TN/SN b/t	TN/SN b/t	$_{\rm b/t}^{\rm TN/SN}$	$_{ m b/t}^{ m TN/SN}$	$_{ m b/t}^{ m TN/SN}$	TN/SN b/t
$\Delta PolRate$	$0.105^{***}$ (31.179)	$0.095^{***}$ (17.681)	$0.103^{***}$ (17.810)	$0.099^{***}$ (30.205)	$0.094^{***}$ (18.394)	$0.101^{***}$ (18.358)
$D^{QE}$	-0.008 (-1.187)		-0.008 (-1.158)	$-0.017^{*} (-1.752)$		$-0.016^{*}$ (-1.740)
$\Delta PolRate \cdot D^{QE}$	$-0.126^{***}$ (-19.814)		$-0.104^{***}$ (-9.643)	$-0.108^{***}$ (-17.339)		$-0.089^{***}$ (-8.198)
$D^{Eligible}$		0.005 (0.972)	0.005 (0.969)		0.004 (0.669)	$0.004 \\ (0.649)$
$\Delta PolRate\cdot D^{Eligible}$		0.011 (1.592)	0.002 (0.295)		0.004 (0.562)	-0.004 ( $-0.565$ )
$\Delta PolRate \cdot D^{Eligible}$ . $D^{QE}$		$-0.137^{***}$ (-17.552)	$-0.033^{**}$ (-2.453)		$-0.117^{***}$ (-15.319)	$-0.028^{**}$ (-2.119)
$\Delta repo^{Special}$ lagged	$-0.357^{***}$ (-39.267)	$-0.357^{***}$ ( $-39.259$ )	$-0.357^{***}$ (-39.264)	$-0.362^{***}$ (-51.918)	$-0.362^{***}$ (-51.911)	$-0.362^{***}$ (-51.915)
$N R^2$	705,633 0.115	705,633 0.115	705,633 0.115	943,349 0.118	$943,349 \\ 0.118$	943,349 $0.118$
The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special reportates. The dependent variable is the change in the special reportate $\Delta repo^{Special}$ . $\Delta PaRate$ denotes the change in the policy rate. $D^{QE}$ equals 1 during the PSPP. $D^{Eligable}$ equals 1 if a security is (hypothetically) eligible for purchase under the PSR, ***, **, and * represent significance at 1, 5, and 10% level, respectively relativistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include special report transactions for core European countries and all European countries pooled across the term types TN and SN for the time-period 2010–2018.	results examinii special repo rate the policy rate. PSPP. ***, **, include ISIN-mc e European coun	ag the impact of tes. The dependences. The dependence $D^{QE}$ equals 1 d and * represent s onth-term fixed of tries and all Eu	asset eligibility <i>I</i> asset eligibility <i>I</i> uring the PSPP. aignificance at a effects and heter copean countries	or quantitative $\epsilon$ or quantitative $\epsilon$ $D^{Eligable}$ equals 1, 5, and 10% ls oskedastic-robust pooled across th	asing on the pas- aspecial repo ra i fa security is vvel, respectively t standard error e term types TN	s-through of the $t_{\rm the} \Delta repo^{Special}$ . (if $\Delta repo^{Special}$ .) (hypothetically) (i $r$ -statistics are $r$ -statistics are s. Data include f and SN for the

Table 4.5. Collateral eligibility: Core countries and all countries

Results by region and term type

	$(1)$ $\Delta repo^{Special}$ TN $b/t$	$\Delta repo^{Special}$ SN b/t	$\Delta repo^{Special}$ TN/SN b/t	$\Delta repo^{Special}$ TN b/t	$\Delta repo^{Special}$ SN b/t	$\Delta repo^{Special}$ TN/SN b/t	$\Delta repo^{Special}$ TN b/t	$\Delta repo^{Special}$ SN b/t	$\Delta repo^{Special}$ TN/SN b/t
$\Delta PolRate$	$0.190^{***}$ (17.269)	$0.061^{***}$ (11.084)	$0.106^{***}$ (19.644)	$0.171^{***}$ (11.689)	$0.058^{***}$ (6.992)	$0.098^{***}$ (12.937)	$0.186^{***}$ (11.598)	$0.066^{***}$ (7.315)	$0.109^{***}$ (13.130)
$D^{QE}$	-0.022 (-0.996)	-0.010 (-0.877)	-0.016 (-1.462)				-0.022 (-0.995)	-0.010 ( $-0.839$ )	-0.016 (-1.434)
$\Delta PolRate \cdot D^{QE}$	-0.206*** (-10.786)	$-0.119^{***}$ (-12.683)	$-0.150^{***}$ (-15.837)				$-0.165^{***}$ ( $-5.586$ )	$-0.095^{***}$ (-6.505)	$-0.120^{***}$ (-8.154)
$D^{Eligible}$				-0.001 (-0.043)	0.005 (0.575)	0.004 (0.454)	-0.001 ( $-0.051$ )	0.005 (0.568)	0.004 (0.440)
$\Delta PolRate \cdot D^{Eligible}$				0.023 (1.097)	-0.001 (-0.127)	0.006 (0.537)	0.008 (0.356)	-0.010 ( $-0.837$ )	-0.005 (-0.463)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$				$-0.235^{***}$ (-9.456)	$-0.138^{***}$ (-11.374)	$-0.172^{***}$ (-14.035)	$-0.070^{*}$ (-1.820)	$-0.043^{**}$ (-2.299)	$-0.052^{***}$ (-2.737)
$\Delta repo^{Special}$ lagged	$-0.424^{***}$ (-56.995)	$-0.312^{***}$ (-9.357)	$-0.364^{***}$ (-20.719)	$-0.424^{***}$ (-56.981)	$-0.312^{***}$ (-9.356)	$-0.364^{***}$ (-20.716)	$-0.424^{***}$ (-56.992)	$-0.312^{***}$ (-9.357)	$-0.364^{***}$ (-20.719)
$N R^2$	$106, 105 \\ 0.159$	195,503 0.084	301,608 0.119	106, 105 0.159	$195,503 \\ 0.084$	301,608 0.119	$106,105 \\ 0.159$	195,503 0.084	$301,608 \\ 0.119$

Table 4.6. Collateral eligibility: Germany

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special reportates. The dependent variable is the change in the special reportate  $\Delta repo^{2recial}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{2E}$  equals 1 during the PSPP,  $D^{E1040c}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP,  $a^{**}$ , and  $a^{**}$  enters are all  $a^{**}$  and  $a^{**}$  enters. The denotes the change in the policy rate.  $D^{2E}$  equals 1 during the PSPP,  $D^{E1040c}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP,  $a^{**}$ , and  $a^{**}$  enters and  $a^{**}$  and  $a^{**}$  enders. All not enterprises and the recose electron is the rate of the denotes the German special report transactions separate for each and pooled across the term types TN and SN for the time-period 2010-2018.

	$\begin{array}{c} (1) \\ \Delta repo^{Special} \\ TN \end{array}$	(2) $\Delta repo^{Special}$ SN	$\begin{array}{c} (3) \\ \Delta repo^{Special} \\ \mathrm{TN/SN} \end{array}$	$\begin{array}{c} (4) \\ \Delta repo^{Special} \\ TN \end{array}$	(5) $\Delta repo^{Special}$ SN	(6) $\Delta repo^{Special}$ $TN/SN$	$\begin{array}{c} (7) \\ \Delta repo^{Special} \\ TN \end{array}$	(8) $\Delta repo^{Special}$ SN	(9) $\Delta repo^{Special}$ TN/SN
$\Delta PolRate$	0.184***	0.063***	0.105***	0.147***	0.063***	0.095***	0.157***	0.071***	0.103***
$D^{QE}$	(176.02) (176.02)	(10.105) -0.006 (-0.802)	(0.1.16) -0.008 (-1.187)	(14:900)	(11.44.1)	(190.71)	(14.724) -0.010 (-0.709)	(0.760) (-0.760)	(11.510) -0.008 (-1.158)
$\Delta PolRate \cdot D^{QE}$	-0.160*** (-12.396)	$-0.110^{***}$ (-17.603)	$-0.126^{***}$ (-19.814)				$-0.124^{***}$ (-5.922)	$-0.092^{***}$ (-8.172)	$-0.104^{***}$ (-9.643)
$D^{Eligible}$				0.000 (0.013)	0.008 (1.179)	0.005 (0.972)	0.000 (0.07)	0.008 (1.181)	0.005 (0.969)
$\Delta PolRate\cdot D^{Eligible}$				$0.055^{***}$ (4.088)	-0.004 (-0.526)	0.011 (1.592)	$0.044^{***}$ (3.169)	-0.011 (-1.472)	0.002 (0.295)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$				$-0.182^{***}$ (-11.145)	$-0.120^{***}$ (-16.192)	-0.137*** (-17.552)	-0.058 <sup>**</sup> (-2.189)	-0.028 <sup>**</sup> (-2.095)	-0.033** (-2.453)
$\Delta repo^{Special}$ lagged	$-0.409^{***}$ (-81.121)	$-0.316^{***}$ (-19.471)	-0.357*** ( $-39.267$ )	$-0.409^{***}$ (-81.084)	$-0.316^{***}$ (-19.470)	-0.357	$-0.409^{***}$ (-81.092)	$-0.316^{***}$ (-19.472)	$-0.357^{***}$ (-39.264)
$N R^2$	238,165 0.146	467,468 0.088	705,633 0.115	238,165 0.146	467,468 0.008	705,633 0.115	238,165 0.146	467,468 0.088	705,633 0.115

Core countries
eligibility:
Collateral
Table 4.7.

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special reportates. The dependent variable is the change in the special reportate  $\Delta repo^{Special}$ ,  $\Delta Pol Rate$  denotes the change in the policy rate.  $D^{2E}$  equals 1 during the PSPP,  $D^{210}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP,  $s^{sys}$ ,  $s^{sys}$ , and s repersent significance at a 1, 5, and 10% level, respectively: 1-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedatic-robust standard errors. Data include special reportansections for core European countries separate for each and pooled across the term types TN and SN for the time-period 2010-2018.

	(1) $\Delta repo^{Special}$ TN b/t	(2) $\Delta repo^{Special}$ SN b/t	$\begin{array}{c} (3) \\ \Delta repo^{Special} \\ \mathrm{TN}/\mathrm{SN} \\ \mathrm{b/t} \end{array}$	(4) $\Delta repo^{Special}$ TN b/t	(5) $\Delta repo^{Special}$ SN b/t	(6) $\Delta repo^{Special}$ $TN/SN$ b/t	(7) $\Delta repo^{Special}$ TN b/t	(8) $\Delta repo^{Special}$ SN b/t	(9) $\Delta repo^{Special}$ TN/SN b/t
$\Delta PolRate$	$0.174^{***}$ (26.299)	0.061*** (17.227)	$0.099^{***}$ (30.205)	$0.145^{***}$ (15.800)	$0.062^{***}$ (10.508)	$0.094^{***}$ (18.394)	$0.153^{***}$ (15.406)	$0.069^{***}$ (10.844)	$0.101^{***}$ (18.358)
$D^{QE}$	-0.021 (-1.046)	-0.012 (-1.404)	$-0.017^{*}$ (-1.752)				-0.021 (-1.047)	-0.012 (-1.375)	$-0.016^{*}$ (-1.740)
$\Delta PolRate \cdot D^{QE}$	$-0.126^{***}$ (-10.342)	$-0.105^{***}$ (-16.347)	$-0.108^{***}$ (-17.339)				$-0.094^{***}$ (-4.601)	$-0.088^{***}$ (-7.479)	$-0.089^{**}$ (-8.198)
$D^{Eligible}$				-0.007 (-0.658)	0.009 (1.374)	0.004 (0.669)	-0.007 (-0.675)	0.009 (1.365)	0.004 (0.649)
$\Delta PolRate \cdot D^{Eligible}$				$0.041^{***}$ (3.259)	-0.005 ( $-0.625$ )	0.004 (0.562)	$0.033^{**}$ (2.508)	-0.012 (-1.545)	-0.004 ( $-0.565$ )
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$				$-0.145^{***}$ (-9.463)	$-0.114^{***}$ (-14.766)	$-0.117^{***}$ (-15.319)	$-0.051^{**}$ (-1.995)	$-0.026^{*}$ (-1.869)	$-0.028^{**}$ (-2.119)
$\Delta repo^{Special}$ lagged	$-0.412^{***}$ (-95.132)	$-0.324^{***}$ (-27.036)	$-0.362^{***}$ ( $-51.918$ )	$-0.412^{***}$ (-95.101)	$-0.324^{***}$ (-27.036)	$-0.362^{***}$ (-51.911)	$-0.412^{***}$ (-95.110)	$-0.324^{***}$ (-27.037)	$-0.362^{***}$ (-51.915)
$N R^2$	323,263 0.151	620,086 0.093	943,349 0.118	323,263 0.151	620,086 0.093	943,349 0.118	323,263 0.151	620,086 0.093	943,349 0.118
	n results examin	ing the impact c	of asset eligibility	· for quantitativ	e easing on the	pass-through of t	the monetary po	licy target rate i	nto special repo

Table 4.8. Collateral eligibility: All countries

...... usure usuance a usuage in use predactory are *integration and predactory area in the point rate. Dr. Bigble for purchase under the PSP.* \*\*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; f-statistics are in parentheses. All regressions include ISN-month-term fixed effects and hererokisedistic-robust standard errors. Data include special repo transactions for all European countries separate for each and pooled across the term types TN and SN for the time-period 2010-2018.

	(1)	(2)	(3)	(4)	(5)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$	TN/SN b/t
$\Delta PolRate$	$0.109^{***}$ (13.130)	$0.111^{***}$ (13.151)	$\begin{array}{c} 0.117^{***} \\ (13.619) \end{array}$	$0.118^{***}$ (13.718)	$0.119^{***}$ (13.765)
$D^{QE}$	-0.016 (-1.434)	-0.016 (-1.428)	$0.048^{***}$ (9.022)	$\begin{array}{c} 0.013^{***} \\ (5.858) \end{array}$	$0.048^{***}$ (9.408)
$\Delta PolRate \cdot D^{QE}$	$-0.120^{***}$ (-8.154)	$-0.121^{***}$ (-8.170)	$-0.129^{***}$ (-8.598)	$-0.129^{***}$ (-8.558)	$-0.131^{***}$ (-8.715)
$D^{Eligible}$	$0.004 \\ (0.440)$	$0.004 \\ (0.505)$	$-0.010^{**}$ (-2.344)	-0.002 (-0.827)	-0.000 (-0.017)
$\Delta PolRate \cdot D^{Eligible}$	$-0.005 \ (-0.463)$	$-0.006 \ (-0.511)$	$-0.002 \\ (-0.219)$	-0.003 (-0.302)	-0.004 (-0.348)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.052^{***}$ (-2.737)	$-0.053^{***}$ (-2.739)	$-0.053^{***}$ (-2.711)	$-0.051^{***}$ (-2.596)	$-0.052^{**}$ (-2.642)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.719)	$-0.360^{***}$ (-21.031)	$-0.350^{***}$ (-20.941)	$-0.349^{***}$ (-20.941)	$-0.349^{***}$ (-20.950)
FE	$\begin{array}{l} \mathrm{ISIN} \times \\ \mathrm{Month} \times \\ \mathrm{Term} \end{array}$	$\begin{array}{l} \mathrm{ISIN} \times \\ \mathrm{Month} \end{array}$	$\begin{array}{c} \mathrm{ISIN} \times \\ \mathrm{Year} \end{array}$	ISIN	Year
$\frac{N}{R^2}$	$301,608 \\ 0.119$	$301,859 \\ 0.123$	$301,896 \\ 0.121$	$301,897 \\ 0.121$	$301,897 \\ 0.121$

Table 4.9. Collateral eligibility: Germany, different fixed effect specifications

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. The regressions include different fixed effect specifications and heteroskedastic-robust standard errors. Data include German special repo transactions pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	TN/SN	TN/SN	TN/SN	TN/SN	TN/SN
	b/t	b/t	b/t	b/t	b/t
$\Delta PolRate$	$0.103^{***}$ (17.810)	$0.106^{***}$ (18.194)	$\begin{array}{c} 0.114^{***} \\ (19.593) \end{array}$	$0.115^{***}$ (19.711)	$0.115^{***}$ (19.745)
$D^{QE}$	-0.008	-0.008	$0.045^{***}$	$0.010^{***}$	$0.045^{***}$
	(-1.158)	(-1.148)	(13.006)	(7.362)	(13.513)
$\Delta PolRate\cdot D^{QE}$	$-0.104^{***}$	$-0.107^{***}$	$-0.119^{***}$	$-0.119^{***}$	$-0.121^{***}$
	(-9.643)	(-9.860)	(-10.855)	(-10.823)	(-11.030)
$D^{Eligible}$	$0.005 \\ (0.969)$	$0.005 \\ (0.972)$	$-0.007^{**}$ (-2.470)	-0.002 (-1.324)	$\begin{array}{c} 0.001 \\ (0.599) \end{array}$
$\Delta PolRate \cdot D^{Eligible}$	$\begin{array}{c} 0.002\\ (0.295) \end{array}$	$\begin{array}{c} 0.003 \\ (0.400) \end{array}$	$0.006 \\ (0.858)$	$\begin{array}{c} 0.005 \\ (0.764) \end{array}$	0.005 (0.722)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.033^{**}$	$-0.033^{**}$	$-0.031^{**}$	$-0.029^{**}$	$-0.030^{**}$
	(-2.453)	(-2.426)	(-2.305)	(-2.096)	(-2.179)
$\Delta repo^{Special}$ lagged	$-0.357^{***}$	$-0.352^{***}$	$-0.341^{***}$	$-0.340^{***}$	$-0.340^{***}$
	(-39.264)	(-39.715)	(-39.287)	(-39.274)	(-39.297)
FE	$\begin{array}{c} \mathrm{ISIN}\times\\ \mathrm{Month}\times\\ \mathrm{Term} \end{array}$	$ISIN \times Month$	$\begin{array}{c} \mathrm{ISIN} \times \\ \mathrm{Year} \end{array}$	ISIN	Year
$\frac{N}{R^2}$	$705,633 \\ 0.115$	$706,207 \\ 0.119$	$706,252 \\ 0.116$	$706,255 \\ 0.116$	706,255 0.116

Table 4.10. Collateral eligibility: Core countries, different fixed effect specifications

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special report ate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. The regressions include different fixed effect specifications and heteroskedastic-robust standard errors. Data include special repo transactions for core European countries pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	TN/SN	TN/SN	TN/SN	TN/SN	TN/SN
	b/t	b/t	b/t	b/t	b/t
$\Delta PolRate$	$0.101^{***}$	$0.105^{***}$	$0.113^{***}$	$0.114^{***}$	$0.114^{***}$
	(18.358)	(18.825)	(20.418)	(20.554)	(20.584)
$D^{QE}$	$-0.016^{*}$	$-0.017^{*}$	$0.038^{***}$	$0.011^{***}$	$0.039^{***}$
	(-1.740)	(-1.764)	(10.253)	(8.196)	(11.222)
$\Delta PolRate \cdot D^{QE}$	$-0.089^{***}$	$-0.092^{***}$	$-0.104^{***}$	$-0.104^{***}$	$-0.106^{***}$
	(-8.198)	(-8.437)	(-9.547)	(-9.563)	(-9.737)
$D^{Eligible}$	$0.004 \\ (0.649)$	0.004 (0.727)	$-0.007^{***}$ (-2.867)	-0.001 (-0.652)	$0.001 \\ (0.611)$
$\Delta PolRate \cdot D^{Eligible}$	-0.004 (-0.565)	-0.003 (-0.369)	$0.001 \\ (0.181)$	$\begin{array}{c} 0.001 \\ (0.096) \end{array}$	$0.000 \\ (0.057)$
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.028^{**}$	$-0.029^{**}$	$-0.031^{**}$	$-0.028^{**}$	$-0.029^{**}$
	(-2.119)	(-2.165)	(-2.310)	(-2.076)	(-2.170)
$\Delta repo^{Special}$ lagged	$-0.362^{***}$	$-0.356^{***}$	$-0.345^{***}$	$-0.344^{***}$	$-0.344^{***}$
	(-51.915)	(-52.505)	(-51.939)	(-51.934)	(-51.964)
FE	$\begin{array}{c} \mathrm{ISIN}\times\\ \mathrm{Month}\times\\ \mathrm{Term} \end{array}$	$\begin{array}{l} \mathrm{ISIN}\times\\ \mathrm{Month} \end{array}$	$\begin{array}{c} \mathrm{ISIN} \times \\ \mathrm{Year} \end{array}$	ISIN	Year
$\frac{N}{R^2}$	$943,349 \\ 0.118$	$944,265 \\ 0.122$	$944,331 \\ 0.119$	$944,335 \\ 0.119$	$944,335 \\ 0.119$

Table 4.11. Collateral eligibility: All countries, different fixed effect specifications

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special repo rates  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. The regressions include different fixed effect specifications and heteroskedastic-robust standard errors. Data include special repo transactions for all European countries pooled across the term types TN and SN for the time-period 2010–2018.

## Results for clustered standard errors

	(1)	(2)	(3)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	b/t	b/t	b/t
$\Delta PolRate$	0.106**	0.098**	0.109**
	(32.158)	(33.661)	(36.511)
$D^{QE}$	-0.016		-0.016
	(-0.832)		(-0.835)
$\Delta PolRate \cdot D^{QE}$	-0.150		$-0.120^{**}$
	(-5.792)		(-20.932)
$D^{Eligible}$		0.004	0.004
-		(0.400)	(0.400)
$\Delta PolRate \cdot D^{Eligible}$		0.006	-0.005
		(1.925)	(-1.309)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.172^{***}$	$-0.052^{*}$
		(-175.810)	(-8.421)
$\Delta repo^{Special}$ lagged	$-0.364^{**}$	$-0.364^{**}$	$-0.364^{**}$
	(-22.869)	(-22.935)	(-22.804)
Ν	301,608	301,608	301,608
$R^2$	0.119	0.119	0.119

Table 4.12. Collateral eligibility: Germany

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through using clustered standard errors. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and standard errors accounting for clustering at the ISIN and eligibility level. Data include German special repo transactions pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	b/t	b/t	b/t
$\Delta PolRate$	0.105***	0.095***	0.103***
	(134.397)	(72.001)	(81.078)
$D^{QE}$	-0.008		-0.008
	(-0.716)		(-0.694)
$\Delta PolRate \cdot D^{QE}$	$-0.126^{*}$		$-0.104^{**}$
	(-8.472)		(-39.994)
$D^{Eligible}$		0.005	0.005
		(1.050)	(1.028)
$\Delta PolRate \cdot D^{Eligible}$		$0.011^{*}$	0.002
		(7.979)	(1.168)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.137^{***}$	$-0.033^{**}$
		(-195.384)	(-12.887)
$\Delta repo^{Special}$ lagged	$-0.357^{**}$	$-0.357^{**}$	$-0.357^{**}$
	(-29.353)	(-29.473)	(-29.314)
Ν	705,633	705,633	705,633
$R^2$	0.115	0.115	0.115

Table 4.13. Collateral eligibility: Core countries

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through using clustered standard errors. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and standard errors accounting for clustering at the ISIN and eligibility level. Data include special repo transactions for core European countries pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	b/t	b/t	b/t
$\Delta PolRate$	0.099**	0.094***	0.101***
	(45.807)	(110.286)	(99.326)
$D^{QE}$	-0.017		-0.016
	(-0.666)		(-0.661)
$\Delta PolRate \cdot D^{QE}$	$-0.108^{*}$		$-0.089^{**}$
	(-8.733)		(-48.349)
$D^{Eligible}$		0.004	0.004
		(0.702)	(0.667)
$\Delta PolRate \cdot D^{Eligible}$		0.004	-0.004
		(3.383)	(-1.931)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.117^{***}$	$-0.028^{**}$
		(-186.211)	(-31.726)
$\Delta repo^{Special}$ lagged	$-0.362^{**}$	$-0.362^{**}$	$-0.362^{**}$
	(-43.257)	(-43.367)	(-43.092)
N	943,349	943,349	943,349
$R^2$	0.118	0.118	0.118

Table 4.14. Collateral eligibility: All countries

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through using clustered standard errors. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and standard errors accounting for clustering at the ISIN and eligibility level. Data include special repo transactions for all European countries pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS 1W
	$\Delta repo^{Special}$	$\Delta repo^{Specia}$				
	${ m TN/SN} { m b/t}$	TN/SN b/t	${ m TN/SN} { m b/t}$			
$\Delta PolRate$	$0.109^{***}$ (13.130)	$0.109^{***}$ (13.130)	$0.105^{***}$ (11.394)	$0.054^{***}$ (9.442)	$\begin{array}{c} 0.046^{***} \\ (9.250) \end{array}$	$0.101^{***}$ (12.053)
$D^{QE}$	-0.016 (-1.434)	$-0.016 \\ (-1.421)$	$-0.040^{***}$ (-3.105)	$-0.028^{**}$ (-2.303)	$-0.031^{**}$ (-2.465)	$-0.039^{***}$ (-3.456)
$\Delta PolRate \cdot D^{QE}$	$-0.120^{***}$ (-8.154)	$-0.116^{***}$ (-7.867)	$-0.109^{***}$ (-9.346)	$-0.025^{***}$ (-3.565)	$-0.019^{***}$ (-2.984)	$-0.039^{**}$ (-2.427)
$D^{Eligible}$	$\begin{array}{c} 0.004 \\ (0.440) \end{array}$	$\begin{array}{c} 0.004 \\ (0.435) \end{array}$	$\begin{array}{c} 0.003 \\ (0.316) \end{array}$	$\begin{array}{c} 0.003 \\ (0.314) \end{array}$	$ \begin{array}{c} 0.002 \\ (0.254) \end{array} $	$\begin{array}{c} 0.002\\ (0.187) \end{array}$
$\Delta PolRate \cdot D^{Eligible}$	$-0.005 \ (-0.463)$	$-0.005 \ (-0.463)$	$-0.000 \ (-0.015)$	$0.015^{**}$ (1.987)	$\begin{array}{c} 0.002\\ (0.355) \end{array}$	$-0.022^{**}$ (-2.059)
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.052^{***}$ (-2.737)	$-0.044^{**}$ (-2.289)	$-0.023 \\ (-1.491)$	$-0.031^{***}$ (-3.346)	$-0.017^{**}$ (-2.021)	-0.023 (-1.086)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.719)	$-0.364^{***}$ (-20.719)	$-0.365^{***}$ (-20.277)	$-0.363^{***}$ (-19.856)	$-0.363^{***}$ (-19.668)	$-0.359^{***}$ (-20.195)
$\frac{N}{R^2}$	$301,\!608$ 0.119	$301,\!608$ 0.119	299,889 0.120	290,153 0.119	289,058 0.120	298,718 0.116

Table 4.15. Collateral eligibility: Germany

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include German special repo transactions pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS 1W
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$	${ m TN/SN}  m _{b/t}$	${ m TN/SN} { m b/t}$	${ m TN/SN} { m b/t}$
$\Delta PolRate$	$0.103^{***}$ (17.810)	$0.103^{***}$ (17.810)	$0.099^{***}$ (15.179)	$0.055^{***}$ (13.493)	$0.041^{***}$ (11.908)	$\begin{array}{c} 0.074^{***} \\ (12.705) \end{array}$
$D^{QE}$	-0.008 (-1.158)	-0.008 (-1.140)	$-0.033^{***}$ (-3.990)	$-0.023^{***}$ (-2.845)	$-0.026^{***}$ (-3.244)	$-0.032^{***}$ (-4.581)
$\Delta PolRate \cdot D^{QE}$	$-0.104^{***}$ (-9.643)	$-0.097^{***}$ (-8.995)	$-0.094^{***}$ (-10.427)	$-0.037^{***}$ (-7.136)	$-0.023^{***}$ (-4.925)	$-0.001 \\ (-0.049)$
$D^{Eligible}$	$\begin{array}{c} 0.005 \\ (0.969) \end{array}$	$\begin{array}{c} 0.005 \\ (0.959) \end{array}$	$0.006 \\ (1.003)$	$\begin{array}{c} 0.004 \\ (0.688) \end{array}$	$0.003 \\ (0.612)$	$\begin{array}{c} 0.004 \\ (0.629) \end{array}$
$\Delta PolRate \cdot D^{Eligible}$	$\begin{array}{c} 0.002\\ (0.295) \end{array}$	$\begin{array}{c} 0.002\\ (0.295) \end{array}$	$0.017^{**}$ (2.108)	0.005 (1.112)	0.001 (0.270)	$\begin{array}{c} 0.028^{***} \\ (3.810) \end{array}$
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.033^{**}$ (-2.453)	$-0.028^{**}$ (-2.133)	$-0.028^{**}$ (-2.517)	$-0.010 \ (-1.591)$	$-0.005 \ (-0.937)$	$-0.026^{*}$ (-1.754)
$\Delta repo^{Special}$ lagged	$-0.357^{***}$ (-39.264)	$-0.357^{***}$ (-39.264)	$-0.359^{***}$ (-38.341)	$-0.356^{***}$ (-37.516)	$-0.356^{***}$ (-37.058)	$-0.352^{***}$ (-38.194)
$\frac{N}{R^2}$	$705,633 \\ 0.115$	$705,633 \\ 0.115$	$701,859 \\ 0.117$	$681,324 \\ 0.114$	$678,897 \\ 0.115$	$699,266 \\ 0.113$

Table 4.16. Collateral eligibility: Core countries

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include special repo transactions for core European countries pooled across the term types TN and SN for the time-period 2010–2018.

	(1)	(2)	(3)	(4)	(5)	(6)
	EONIA	€STR	euro LIBOR	zero OIS	zero EURIBOR	OIS 1W
	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$	$\Delta repo^{Special}$
	${ m TN/SN} { m b/t}$	TN/SN b/t	${ m TN/SN} { m b/t}$			
$\Delta PolRate$	$0.101^{***}$ (18.358)	$0.101^{***}$ (18.358)	$0.092^{***}$ (15.576)	$0.055^{***}$ (14.263)	$0.040^{***}$ (12.556)	$0.065^{***}$ (11.882)
$D^{QE}$	$-0.016^{*}$ (-1.740)	$-0.016^{*}$ (-1.729)	$-0.039^{***}$ (-3.990)	$-0.031^{***}$ (-3.185)	$-0.034^{***}$ (-3.471)	$-0.040^{***}$ (-4.399)
$\Delta PolRate\cdot D^{QE}$	$-0.089^{***}$ (-8.198)	$-0.083^{***}$ (-7.669)	$-0.086^{***}$ (-9.474)	$-0.033^{***}$ (-6.308)	$-0.018^{***}$ (-3.803)	$0.030^{**}$ (2.538)
$D^{Eligible}$	$\begin{array}{c} 0.004 \\ (0.649) \end{array}$	$\begin{array}{c} 0.004 \\ (0.642) \end{array}$	$\begin{array}{c} 0.004 \\ (0.685) \end{array}$	$\begin{array}{c} 0.001 \\ (0.218) \end{array}$	0.001 (0.124)	$\begin{array}{c} 0.002\\ (0.298) \end{array}$
$\Delta PolRate \cdot D^{Eligible}$	$-0.004 \\ (-0.565)$	$-0.004 \\ (-0.565)$	$\begin{array}{c} 0.007 \\ (0.902) \end{array}$	$-0.003 \\ (-0.634)$	$-0.003 \ (-0.659)$	$\begin{array}{c} 0.039^{***} \\ (5.593) \end{array}$
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$	$-0.028^{**}$ (-2.119)	$-0.024^{*}$ (-1.781)	$-0.005 \ (-0.439)$	-0.001 (-0.103)	-0.002 (-0.287)	-0.013 (-0.857)
$\Delta repo^{Special}$ lagged	$-0.362^{***}$ (-51.915)	$-0.362^{***}$ (-51.915)	$-0.363^{***}$ (-50.806)	$-0.360^{***}$ (-49.173)	$-0.360^{***}$ (-48.554)	$-0.358^{***}$ (-50.579)
$\frac{N}{R^2}$	$943,349 \\ 0.118$	$943,349 \\ 0.118$	$938,391 \\ 0.120$	$913,396 \\ 0.118$	910,329 0.118	$934,884 \\ 0.117$

Table 4.17. Collateral eligibility: All countries

The table reports the regression results examining the impact of asset eligibility for quantitative easing on the monetary policy pass-through for alternative monetary policy target rates. The dependent variable is the change in the special repo rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in different policy rates.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; *t*-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include special repo transactions for all European countries pooled across the term types TN and SN for the time-period 2010–2018.

## IA.5. Nonaccess banks in the special market

In the GC market, access banks react less sensitively to changes in the monetary policy target rate, particularly when the GC rates falls below the rate on the deposit facility. Fig. 5.3 illustrates the different sensitivities of access and nonaccess banks in the form of impulse response functions.<sup>25</sup> In the GC market (left panel), we observe that, in line with our earlier results, repos involving nonaccess banks react more strongly to changes in the target rate than repos involving access banks. For a one-percentage-point increase in the target rate, repo rates involving lenders without access to the deposit facility increase by 75 basis points as compared to 40 basis points for lenders with access to the deposit facility.

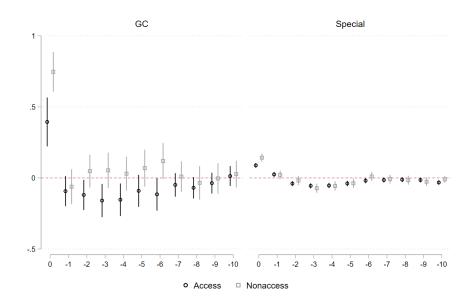


Fig. 5.3. Response of reportates to (lagged) changes in EONIA

Interestingly, we find that the segmentation according to central bank access also has a significant impact in the special repo market, albeit on a smaller scale. Considering the right panel of Fig. 5.3, we observe that a one-percentage-point increase in the monetary policy rate corresponds to an increase in repo rates involving banks without access to the deposit facility of around 14 basis points. By contrast, the sensitivity is only 9 basis points for trades involving lenders with access to the deposit facility. As illustrated by the confidence intervals, these two effects are significantly different from one another. This suggests that the segmentation caused by different access levels to central bank facilities is also present in the special repo market.

To formalize these results, we perform a set of panel regressions which follow the previously introduced approach for the special repo market. However, we put a particular emphasis on the

 $<sup>^{25}</sup>$ The impulse response functions are derived from a regression of the log-changes in repo rates on the log-changes in the EONIA and the lagged log-changes in the EONIA for the ten preceding trading days, and by including basketmonth-term fixed effects and heteroscedasticity-robust standard errors. The bands around the coefficients' point estimates indicate 95% confidence intervals.

segmentation between access and nonaccess banks and consider the collateral eligibility for asset purchases as well as the banks' access to the deposit facility as two separate forms of market segmentation. In the regression,  $\Delta r_{t,l,i}^{Special}$  denotes the log-change in special collateral repo rates of collateral asset *i* at time *t* and for lending bank l,  $\Delta PolRate_t$  denotes the log-change in the EONIA rate. Moreover, we employ four dummy variables:  $D_{t,n}^{Dep}$ , which is equal to one if country *n*'s GC rate is below the deposit facility rate,  $D_{t,l}^{Access}$ , which is equal to one if the lending bank *l* has access to the deposit facility,  $D_t^{QE}$ , which is equal to one after the introduction of the PSPP in March 2015 and  $D_{t,i}^{Eligible}$ , which is equal to one if security *i* is (hypothetically) eligible for purchase under the PSPP. Additionally, we add ISIN-month-term fixed effects and employ heteroscedasticity-robust standard errors. Analogously to the regression in the special market, we show our main results as a pooled regression for the term types TN and SN in Table 5.18. We report our results for (i) Germany in columns 1–2, (ii) core European countries in columns 3-\*4, and (iii) all countries in columns 5–6.

Regression (1) relates changes in reportates to changes in the monetary policy rate, we thereby analyze the different reactions of access and nonaccess banks in periods during which the GC rate is above or below the rate on the deposit facility. The results confirm our intuition that access banks are less sensitive, even in the special repo market. The sensitivity is particularly low when the GC rate is below the rate on the deposit facility. In this setting, the effect of changes in the policy rate on GC rates is 15 basis points for nonaccess banks as compared to 9 basis points for access banks. Once GC rates are below the rate on the deposit facility, the sensitivity for access banks becomes muted and almost disappears. The overall sensitivities of access and nonaccess banks in the special market are smaller than in the GC market as depicted in the impulse response functions, however, the relative magnitude of the effect (as compared to the GC market) is comparable. Regression (2) extends our analysis and accounts for both forms of market segmentation simultaneously, these are the different sensitivities of eligible and noneligible collateral as well as of access and nonaccess banks. The results confirm that both forms of market segmentation are present in the special repo market. A one-percentage-point change in the monetary policy rate translates into a 16 basis point lower sensitivity of access banks relative to nonaccess banks during periods when the GC rate is below the rate on the deposit facility, and into a 10 basis point lower sensitivity of eligible collateral relative to noneligible collateral during the recent period of unconventional monetary policy.<sup>26</sup>

Columns 3-6 expand our analysis by looking at larger samples. Again, the results remain statistically and economically consistent when we extend our sample to core and all European countries, respectively. Taken together, these results provide evidence that nonaccess banks also react more sensitively to changes in the monetary policy rate in the special repo market, thus indicating that the more collateral-driven special market is not only driven by collateral demand but also by the overall funding environment.

<sup>&</sup>lt;sup>26</sup>In Regression (2), we do not account for the interaction term  $\Delta PolRate \cdot D^{QE}$  since we already account for the interaction term  $\Delta PolRate \cdot D^{Dep}$ . We only account for one of the two interaction terms since the two dummy variables  $D^{QE}$  and  $D^{Dep}$  overlap. Our results are robust to exchanging the two interaction terms.

	Germany		Core		All	
	(1) $\Delta repo^{Special}$ TN/SN b/t	(2) $\Delta repo^{Special}$ TN/SN b/t	$\begin{array}{c} (3) \\ \Delta repo^{Special} \\ \mathrm{TN/SN} \\ \mathrm{b/t} \end{array}$	(4) $\Delta repo^{Special}$ TN/SN b/t	(5) $\Delta repo^{Special}$ TN/SN b/t	(6) $\Delta repo^{Special}$ TN/SN b/t
$\Delta PolRate$	$0.153^{***}$ (15.348)	$0.159^{***}$ (12.959)	$0.155^{***}$ (22.780)	$0.154^{***}$ (17.617)	$0.159^{***}$ (23.286)	0.160*** (18.668)
$D^{Dep}$	$0.015^{***}$ (2.792)	$0.015^{***}$ (2.794)	0.005 (1.587)	0.005 (1.575)	$0.006^{**}$ (2.168)	$0.006^{**}$ (2.147)
$\Delta PolRate \cdot D^{Dep}$	-0.028 (-1.093)	$0.012 \\ (0.416)$	$\begin{array}{c} 0.059^{***} \\ (2.739) \end{array}$	$0.103^{***}$ (4.510)	$0.060^{***}$ (2.795)	$0.105^{***}$ (4.686)
$D^{Access}$	$-0.005^{**}$ (-2.536)	$-0.005^{***}$ (-2.582)	$-0.005^{***}$ (-3.990)	$-0.005^{***}$ (-4.127)	$-0.005^{***}$ (-4.260)	$-0.005^{***}$ (-4.455)
$\Delta PolRate \cdot D^{Access}$	$-0.061^{***}$ (-5.157)	$-0.062^{***}$ (-5.181)	$-0.063^{***}$ (-7.937)	$-0.063^{***}$ (-7.875)	$-0.073^{***}$ (-9.296)	$-0.074^{***}$ (-9.305)
$\Delta PolRate \cdot D^{Access} \cdot D^{Dep}$	$-0.150^{***}$ (-5.071)	$-0.161^{***}$ (-5.413)	$-0.217^{***}$ (-9.098)	$-0.225^{***}$ (-9.418)	$-0.206^{***}$ (-8.653)	$-0.214^{***}$ (-8.988)
$D^{QE}$		-0.014 (-1.231)		-0.007 (-0.983)		-0.012 (-1.309)
$D^{Eligible}$		$\begin{array}{c} 0.003 \\ (0.371) \end{array}$		$0.005 \\ (0.911)$		$0.005 \\ (0.908)$
$\Delta PolRate \cdot D^{Eligible}$		-0.006 (-0.541)		$0.006 \\ (0.816)$		$0.005 \\ (0.643)$
$\Delta PolRate \cdot D^{Eligible} \cdot D^{QE}$		$-0.097^{***}$ (-5.713)		$-0.104^{***}$ (-9.822)		$-0.110^{***}$ (-11.432)
$\Delta repo^{Special}$ lagged	$-0.364^{***}$ (-20.710)	$-0.364^{***}$ (-20.711)	$-0.357^{***}$ (-35.251)	$-0.357^{***}$ (-35.249)	$-0.360^{***}$ (-40.692)	$-0.360^{***}$ (-40.685)
$\frac{N}{R^2}$	$301,475 \\ 0.119$	$301,475 \\ 0.119$	$628,208 \\ 0.115$	$628,208 \\ 0.115$	759,772 0.118	$759,772 \\ 0.118$

Table 5.18. Nonaccess banks in the special market

The table reports the regression results examining the simultaneous impact of asset eligibility and ECB access on the pass-through of the monetary policy target rate into special repo rates. The dependent variable is the change in the special rate  $\Delta repo^{Special}$ .  $\Delta PolRate$  denotes the change in the policy rate.  $D^{Dep}$  equals 1 if a country's GC rate is below the deposit facility.  $D^{Access}$  equals 1 if a lending bank has access to the deposit facility.  $D^{QE}$  equals 1 during the PSPP.  $D^{Eligible}$  equals 1 if a security is (hypothetically) eligible for purchase under the PSPP. \*\*\*, \*\*, and \* represent significance at a 1, 5, and 10% level, respectively; t-statistics are in parentheses. All regressions include ISIN-month-term fixed effects and heteroskedastic-robust standard errors. Data include special report the time-period 2010–2018.